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MARCH

H.J.J. TE RIELE

FURTHER RESULTS ON UNITARY ALIQUOT SEQUENCES

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2e boerhaavestraat 49 amsterdam

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Further results on unitary aliquot sequences

by

Herman J.J. te Riele.

0. Summary

In this report the study of the behaviour of unitary aliquot sequences, started in "Unitary aliquot sequences" (MR 139/72), is extended. For reasons of comparison, several results of MR 139/72 are included. From the computations of all unitary aliquot sequences with starting values in the intervals $(0, 10^5]$ and $(10^6, 10^6 + 10^3]$ we conclude that these sequences behave in a stable manner; about 88.6% of the sequences are terminating, the others are periodic (except only one sequence with unknown behaviour).

An important part of this study is devoted to the construction of unitary 2-cycles (or unitary amicable pairs). Sections 3 and 4 contain information about 1079 new unitary 2-cycles. In section 5 we list all known other cycles (for $t \neq 2$), including several new cycles. The number of unitary t -cycles now known is 5 for $t = 1$ (discovered by Subbarao and Wall), 1186 for $t = 2$ (107 discovered by Peter Hagis, Jr), 1 for $t = 3$, 8 for $t = 4$, 1 each for $t = 5$ and $t = 6$, 3 for $t = 14$ and 1 for $t = 25$.

In the Appendix, three theorems are given, which deal with the number of different prime factors of the elements of a unitary t -cycle. This appendix is essentially due to Walter Borho.

All computations were carried out on the EL-X8 computer of the Mathematical Centre. Computer time used was about ten hours.

1. Introduction

A divisor d of a natural number n is called unitary, if $(d, n/d) = 1$.
If the prime factorization of n is given by

$$n = q_1^{\alpha_1} q_2^{\alpha_2} \dots q_r^{\alpha_r},$$

where $q_1, q_2, \dots, q_r$ are distinct primes, $q_1 < q_2 < \dots < q_r$, and α_i are natural numbers ($i = 1, 2, \dots, r$), then the unitary divisors of n are

$$1, q_1^{\alpha_1}, q_2^{\alpha_2}, \dots, q_r^{\alpha_r}, q_1^{\alpha_1} q_2^{\alpha_2}, q_1^{\alpha_1} q_3^{\alpha_3}, \dots,$$

$$q_{r-1}^{\alpha_{r-1}} q_r^{\alpha_r}, \dots, q_1^{\alpha_1} q_2^{\alpha_2} \dots q_r^{\alpha_r},$$

and their sum $\sigma^*(n)$ can be written as

$$\sigma^*(n) = (q_1^{\alpha_1} + 1) (q_2^{\alpha_2} + 1) \dots (q_r^{\alpha_r} + 1).$$

The function $s^*(n) = \sigma^*(n) - n$ is called the sum of the unitary aliquot divisors of n . We define $s^*(1) = s^*(0) = 0$.

A unitary aliquot sequence of n (abbreviated: UAS of n) is a sequence (n_i) , defined by

$$n_0 = n, n_1 = s^*(n_0), \dots, n_i = s^*(n_{i-1}), \dots$$

Examples

- 1.1 UAS of 80: 80, 22, 14, 10, 8, 1, 0, 0, ...
- 1.2 UAS of 220: 220, 140, 100, 30, 42, 54, 30, ...
- 1.3 UAS of 3672: 3672, 864, 60, 60, ...
- 1.4 UAS of 1482: 1482, 1878, 1890, 2142, 2178, 1482, ...
- 1.5 UAS of 89610: 89610, 135010, 235914, 320502, 469770, 819318, ...

Sometimes, the $(i+1)$ th term n_i of a UAS of n_0 is denoted by $n_0 : i$, for instance $80 : 5 = 1$, $220 : 3 = 30$, $220 : 6 = 30$, $1482 : 5 = 1482$.

A t -tuple of distinct numbers $(n_0, n_1, \dots, n_{t-1})$ with

$$n_i = s^*(n_{i-1}) \quad (i = 1, 2, \dots, t-1) \text{ and } s^*(n_{t-1}) = n_0,$$

will be called a unitary t-cycle⁺; unitary 1-cycles are also called unitary perfect numbers [7], unitary 2-cycles are also unitary amicable pairs [3].

According to their behaviour, unitary aliquot sequences can be divided into three classes:

(i) Some term n_j of the sequence is a prime number, or a prime power; then the next term n_{j+1} equals 1 and $n_i = 0$ for $i > j + 1$. This UAS is called terminating. The index l such that $n_l = 1$ is called the length of the sequence; thus the length of the UAS of 80 is 5 (see 1.1).

(ii) A UAS is called periodic, if there exists an index k such that the t -tuple $(n_k, n_{k+1}, \dots, n_{k+t-1})$ is a unitary t -cycle. The least index k such that n_k is a member of a unitary t -cycle is called the preperiod l' and n_l , the endpoint of the periodic UAS. If $l' = 0$, then we have a purely periodic sequence, else ($l' > 0$) an ultimately periodic sequence.

For instance,

UAS of 220, $l' = 3$, $t = 3$, ultimately periodic (see 1.2);

UAS of 3672, $l' = 2$, $t = 1$, ultimately periodic (see 1.3);

UAS of 1482, $l' = 0$, $t = 5$, purely periodic (see 1.4).

(iii) The UAS is unbounded. It is not known, whether unbounded unitary aliquot sequences do exist. During our computations (including those in [6]) we only met one UAS, the terms of which became too large for our computational means. 11409 of the remaining 99999 sequences are periodic, the other 88590 sequences are terminating. In [6] we have proved the existence of UAS-s with m monotonically increasing terms, for any given natural number m , but this does not prove the existence of unbounded UAS-s.

⁺ In [6] we proposed the name "unitary sociable group of order t ", but this name suggests other mathematical concepts than we mean.

2. Unitary aliquot sequences with starting value less than 100000

The computations in [6] have now been extended to all UAS-s with starting values less than 100000 (was 40000). Only one sequence with unknown behaviour was left.

This sequence starts with $n_0 = 89610$; we stopped after the computation of

$$89610 : 541 = 114601234388928504726 = 2.3.c,$$

where c is a composite number.

Many results of our computations have been collected in tables 1, 2, 3, 4 and 10. We have included some results from [6], for purposes of comparison.

Table 1 shows the distribution of all UAS-s with starting values less than 100000 among classes (i) and (ii), for intervals of length 10000. Of all these sequences, those, with an odd starting value are terminating.⁺ In general, the length of these sequences is small, compared with the length of terminating sequences with an even starting value. An explanation of this phenomenon is given by the following two observations:

- We can distinguish between odd and even unitary aliquot sequences. Indeed, if n is odd, then $s^*(n)$ is odd, and if n is even, then $s^*(n)$ is even or equals 1.
- The average value of $\frac{s^*(n)}{n}$ equals .3684 (see [6]), while the contribution of the odd natural numbers to this value is .0865 and of the even natural numbers .2819.

Some information about the only UAS with unknown behaviour can be found in Table 2. The first 21 terms of this sequence, and all subsequent terms which have two prime factors greater than 10^6 have been included in this Table, together with their factorizations.

⁺In fact, there are only 34 odd unitary abundant numbers (numbers n such that $s^*(n) / n > 1$) less than 10^5 , and a unitary cycle must contain such a number.

TABLE 1 Behaviour of all unitary aliquot sequences with starting value ≤ 100000 .

	terminating	periodic						unknown
		t=1	t=2	t=3	t=4	t=5	t=14	
(0, 10000]	9025	191	149	472	0	101	62	0
(10000, 20000]	8933	184	261	466	0	136	20	0
(20000, 30000]	8943	179	277	422	0	151	28	0
(30000, 40000]	8800	174	279	520	0	180	47	0
(40000, 50000]	8800	187	304	466	0	206	37	0
(50000, 60000]	8856	141	304	463	0	182	54	0
(60000, 70000]	8783	166	373	491	0	137	50	0
(70000, 80000]	8840	133	349	460	0	178	40	0
(80000, 90000]	8828	165	343	482	1	153	27	1
(90000, 100000]	8782	177	366	480	0	162	33	0
(0 , 100000]	88590	1697	3005	4722	1	1586	398	1
	88.59%	11.41%						0.00%

TABLE 2 A unitary aliquot sequence with unknown behaviour.

k	89610:k	factorization	k	89610:k	factorization
0	89610	2.3.5.29.103	11	1234518	2.3.61.3373
1	135030	2.3.5.7.643	12	1275738	2.3.149.1427
2	235914	2.3.7.41.137	13	1294662	2.3.47.4591
3	320502	2.3.7.13.587	14	1350330	2.3.5.19.23.103
4	469770	2.3.5.7.2237	15	2243910	2.3.5.74797
5	819318	2.3.19.7187	16	3141546	2.3.293.1787
6	905802	2.3.150967	17	3166518	2.3.527753
7	905814	2.3E2.7E2.13.79	18	3166530	2.3.5.59.1789
8	774186	2.3.7.18433	19	4566270	2.3.5.19.8011
9	995478	2.3.11.15083	20	6971010	2.3.5.232367
10	1176618	2.3.41.4783			
k	89610:k	factorization			
400	8955713959776978	2.3.3270287.456418349			
417	30758774147877366	2.3E2.1097501.1557010687			
426	35871726786276138	2.3.26278393.227510911			
439	39691536251296950	2.3E2.5E2.2416123.36506177			
441	34399367297077590	2.3E2.5.23.2615779.6353003			
463	40283418787462182	2.3.2651629.2531991893			
471	51270385551153126	2.3.1126211.7587445211			
474	54859868916679290	2.3.5.113.1202107.13462073			
475	77969102204471046	2.3.1297.3000761.3338873			
498	141247679903833962	2.3.1794731.13116884917			
510	209027463954231162	2.3.109641061.317745107			
521	5221741915410821862	2.3.883.1546403.637354073			
524	6076036931507507226	2.3.31.1301.1946453.12899897			
527	13448591937574082790	2.3.5.20181463.22212780011			
541	114601234388928504726	2.3.c			

According to Table 1, the total number of periodic UAS-s is 11409. 64 of them are purely periodic, the others ultimately. It is of interest to know, into which unitary t-cycles these sequences lead, and with what frequencies. This is shown in Table 3. The only periodic sequence, which leads into a unitary 4-cycle, is the sequence 81570, 114270, 182082, 182094, 232626, 237678, 305682, 352878, 360978, 403662, 420738, 420750, 395730, 395910, 420570, 420750,

Table 4 shows more details of periodic UAS-s with endpoints which are frequently reached, viz., the distribution of the frequencies of the starting values among intervals of length 10000. The frequencies seem to be rather constant (roughly speaking), when we look at different intervals. Another remarkable fact is, that the numbers 30, 42, 54 are reached with frequencies which are in a ratio of (roughly) 3 : 2 : 1, while the numbers 114 and 126 are reached with frequencies which have a ratio of about 1 : 1. The number 1140 is 44 times an endpoint of a UAS, whereas 1260 is reached only once (by 1140).

TABLE 3 Unitary t-cycles into which lead the 11409 periodic unitary aliquot sequences with starting values ≤ 100000 , and frequencies.

t	unitary t-cycle	freq.	t	unitary t-cycle	freq.	t	unitary t-cycle	freq.
1	6	1	2	[44772	2	4	[395730	0
1	60	218		[49308	2		395910	0
1	90	1477	2	[56430	1576		420570	0
1	87360	1		[64530	3		[420750	1
			2	[67158	1			
2	[114	579		[73962	1	5	[1482	1
	[126	556	2	[1080150	0		1878	35
2	[1140	44		[1291050	205		1890	134
	[1260	1					2142	31
2	[18018	32	3	[30	2377		[2178	1385
	[22302	1		[42	1525			
2	[32130	1		[54	820			
	[40446	1						
t	unitary t-cycle	freq.	t	unitary t-cycle	freq.	t	unitary t-cycle	freq.
14	[2418	136	14	[24180	39	14	[35238	13
	2958	24		29580	3		45402	1
	3522	13		35220	1		65190	1
	3534	4		35440	1		98106	2
	4146	4		41460	2		101478	0
	4158	17		41580	1		117258	0
	3906	2		39060	1		117270	0
	3774	4		37740	1		117450	0
	4434	2		44340	3		74430	26
	4446	9		44460	2		74610	2
	3954	1		39540	1		74790	1
	3966	18		39660	2		65322	3
	3978	1		39780	2		49878	33
	[3582	1		[35820	1		[38682	20

TABLE 4 Distribution of starting values of the periodic unitary aliquot sequences which end in a member of one of the unitary t-cycles (60), (90), (114, 126), (1140, 1260), (30, 42, 54)

Unitary t-cycle	60	90	114	126	1140	1260	30	42	54
t =	1	1	2		2		3		
Interval									
(0- 10000]	30	160	56	61	8	1	219	163	90
(10000- 20000]	23	161	60	57	5	0	237	156	73
(20000- 30000]	16	163	47	39	4	0	214	136	72
(30000- 40000]	24	150	68	47	3	0	271	157	92
(40000- 50000]	29	158	57	64	4	0	245	140	81
(50000- 60000]	12	129	60	67	2	0	249	141	73
(60000- 70000]	12	154	70	55	2	0	240	169	82
(70000- 80000]	22	111	53	57	7	0	217	164	79
(80000- 90000]	26	138	53	50	2	0	247	158	77
(90000-100000]	24	153	55	59	7	0	238	141	101
(0-100000]	218	1477	579	556	44	1	2377	1525	820

The question arises whether the behaviour of UAS-s, as shown in Table 1, stays the same, when we look at all UAS-s with starting value in the interval (say) (1000000, 1001000]. We have computed these sequences, and the results are laid down in Table 5; for reasons of comparison, we have included in this Table the totals from Table 1. One very long periodic sequence was found, viz., the UAS of 1000830, preperiod $l' = 791$, endpoint = 2178, period = 5, maximum term = $1000830 : 588 = 1623583833750$.

TABLE 5 Behaviour of all unitary aliquot sequences with starting values in the intervals $(0, 100000]$ and $(1000000, 1001000]$.

	terminating	periodic						unknown
		t=1	t=2	t=3	t=4	t=5	t=14	
$(0, 100000]$	88590	1697	3005	4722	1	1586	398	1
	88.6%	11.4%						0.0%
$(1000000, 1001000]$	883	14	35	43	0	22	3	0
	88.3%	11.7%						0.0%

In Table 10 (p.37-56) we present more information about the 7110 periodic unitary aliquot sequences with starting values in the interval $(40000, 100000]$, viz., their starting values, the preperiods and the endpoints⁺. In case of purely periodic UAS-s, only the starting value is given; this value occurs in Table 3 as a member of a unitary t-cycle. 20 sequences are purely periodic; the other 7090 sequences are ultimately periodic. [6] contains a similar Table for the interval $(0, 40000]$.

Conclusions Unitary aliquot sequences seem to behave in a stable manner. About 88.6% are terminating, about 11.4% are periodic. Whether or not unbounded unitary aliquot sequences exist, is an open question, although it is known that arbitrarily long sequences can be constructed. Very long terminating sequences, with more than 1100 terms are known [6]. The longest known periodic sequence has 791 terms before the periodic part.

⁺Table 10 also contains the starting value 89610 of the only sequence with unknown behaviour.

3. Construction of unitary amicable pairs from amicable pairs.

Two theorems from [6] deal with the construction of unitary t -cycles; application of these theorems to the construction of unitary amicable pairs ($t=2$), yields 1062 new unitary amicable pairs.

The list of nearly all known amicable pairs, recently published by Lee and Madachy [5], is our starting point. When we speak about "the LIST", we mean this list. Moreover, David [1] has recently discovered several new amicable pairs; we shall use some of them, which are suitable for our construction.

Our first tool is the following theorem from [6]; we present it in a form, suitable for our purpose here.

Theorem 3.1 Let (n_1, n_2) be an amicable pair; suppose it is possible to write n_1 and n_2 as

$$3.1 \quad n_1 = a m_1, \quad n_2 = a m_2,$$

where $a > 1$, $(a, m_1) = (a, m_2) = 1$, and m_1 and m_2 are squarefree; if a natural number $b > 1$ exists, such that

$$3.2 \quad \sigma(a) / a = \sigma^*(b) / b,$$

with $(b, m_1) = (b, m_2) = 1$, then the numbers $b m_1$ and $b m_2$ form a unitary amicable pair.

Examples We take amicable pair no. 6 from the LIST

$$(n_1, n_2) = (2^3 17.79, 2^3 23.59);$$

then with $a = 2^3$, $m_1 = 17.79$, $m_2 = 23.59$, condition 3.1 has been satisfied. Now we look for a natural number $b > 1$ such that

$$\sigma^*(b) / b = 15 / 8 = \sigma(a) / a.$$

This number is given by $b = 2^{10} 3.5.7.41$. Since $(b, m_1) = (b, m_2) = 1$, condition 3.2 has also been satisfied. Hence it follows from theorem 3.1 that

$$(2^{10}3.5.7.41.17.79, 2^{10}3.5.7.41.23.59)$$

is a unitary amicable pair.

Another example: start with

$$(n_1, n_2) = (3^2 5.13.11.19, 3^2 5.13.239),$$

amicable pair no. 15 from the LIST. $a = 3^2 5 (m_1 = 11.13.19, m_2 = 13.239)$ satisfies condition 3.1 and if $b = 2^2 3.5^2$, then

$$\sigma^*(b) / b = 26 / 15 = \sigma(a) / a,$$

thus condition 3.2 has also been satisfied. Hence

$$(2^2 3.5^2 11.13.19, 2^2 3.5^2 13.239)$$

is a unitary amicable pair.

The difficulty in these examples is to find a number b which satisfies 3.2, for a given number a .

If a is squarefree, then $\sigma^*(a) / a = \sigma(a) / a$, so that we can take $b = a$; hence the amicable pair itself is a unitary amicable pair. In the LIST we have counted 89, and in David's discoveries, 5 squarefree pairs, a total of 94 squarefree amicable, and thus unitary amicable pairs. Hagis [3] has already mentioned 75 of these squarefree unitary amicable pairs. (Not 76, because, according to Lee and Madachy [5a], the squarefree amicable pair (177) in [4] is actually García's pair (29) on page 169 of [2]).

A computer program traced all pairs (a, b) with $a < 13000$ and $b < 13000$, such that $\sigma(a) / a = \sigma^*(b) / b$. Some other suitable pairs (a, b) were found by hand. The results are laid down in Table 6; this table extends Table 9 in [6].

TABLE 6 Numbers a and b , satisfying $\sigma(a) / a = \sigma^*(b) / b$

a	b	$\sigma(a) / a = \sigma^*(b) / b$
2^2	$2^6 3 \cdot 5 \cdot 13$	$7/4$
2^3	$2^{10} 3 \cdot 5 \cdot 7 \cdot 41$	$15/8$
3^2	$2^2 3^2 5^2$	$13/9$
$3^2 5$	$2^2 3 \cdot 5^2$	$26/15$
$3^2 13$	$2 \cdot 3^3$	$14/9$
3^3	$2^2 3^3 7$	$40/27$
$3^3 5, 3^2 7 \cdot 13$	$2 \cdot 3^3 7$	$16/9$
$3^3 5^3, 3^2 5^2 31$	$2 \cdot 3^3 5^2 7$	$416/225$
$5^2 31$	$5^2 7 \cdot 13$	$32/25$
$5^3 13$	$3 \cdot 5^3$	$168/125$
$7^2 19$	$5 \cdot 7^2$	$60/49$
$3^2 7^2 13 \cdot 19$	$2^2 3 \cdot 7$	$40/21$

Remark The pairs $a = 3^3 5$, $b = 2 \cdot 3^3 7$ and $\bar{a} = 3^3 5^3$, $\bar{b} = 2 \cdot 3^3 5^2 7$ are related by the following property: If a and b satisfy $\sigma(a) / a = \sigma^*(b) / b$, and if $p^k \parallel a$ ($k \geq 1$, p prime) and $p \nmid b$, then the numbers $\bar{a} = a p^{k+1}$ and $\bar{b} = b \cdot p^{k+1}$ also satisfy this equation. The proof of this simple property depends on the relation $\sigma(p^{2k+1}) = \sigma(p^k) \sigma^*(p^{k+1})$ ($k \geq 1$). With this property, other pairs $(\bar{a}, \bar{b})$, satisfying $\sigma(\bar{a}) / \bar{a} = \sigma^*(\bar{b}) / \bar{b}$, can be constructed from pairs (a, b) of Table 6. However, we didn't meet amicable pairs with such an $\bar{a}$ as common factor; therefore those pairs $(\bar{a}, \bar{b})$ have been omitted from Table 6.

The LIST contains 1095 amicable pairs (without those in the APPENDIX); we could construct a unitary amicable pair from 361 of them, by use of Theorem 3.1 and Table 6. Theorem 3.1 could also be applied to ten of David's amicable pairs, giving a total of 371 unitary amicable pairs, constructed with Theorem 3.1.

Our second tool for the construction of unitary amicable pairs is the following theorem, taken from [6], in a form suitable for our purpose here;

this theorem enables us to construct unitary amicable pairs from other, given, unitary amicable pairs, and will be applied to the 371 pairs, constructed with Theorem 3.1.

Theorem 3.2 Let (n_1, n_2) be a unitary amicable pair; suppose it is possible to write n_1 and n_2 as

$$3.3 \quad n_1 = a m_1, \quad n_2 = a m_2,$$

where $a > 1$, $(a, m_1) = (a, m_2) = 1$; if a natural number $b > 1$ exists, such that

$$3.4 \quad \sigma^*(a) / a = \sigma^*(b) / b,$$

with $(b, m_1) = (b, m_2) = 1$, then the numbers $b m_1$ and $b m_2$ also form a unitary amicable pair.

Remark 1 In analogy with the so called "isotopic" or "isomeric" amicable pairs [5a], the two unitary amicable pairs, occurring in Theorem 3.2 might also be called "isotopic" or "isomeric".

Remark 2 In contrast with Theorem 3.1, Theorem 3.2 does not require m_1 and m_2 to be squarefree.

Example Let us consider the unitary amicable pair

$$(2^2 3.5^2 13.11.19, 2^2 3.5^2 13.239),$$

constructed in the second example of Theorem 3.1. $a = 2^2 3.5^2 13$ satisfies condition 3.3 and $b = 2.3^3 5$ satisfies condition 3.4 $\sigma^*(b) / b = 28/15 = \sigma^*(a) / a$; hence it follows from Theorem 3.2 that

$$(2.3^3 5.11.19, 2.3^3 5.239)$$

is also a unitary amicable pair.

Again, the difficulty is to find numbers b , which satisfy condition 3.4, for given a . Table 7 lists the pairs (a, b) satisfying condition 3.4; several were found by systematic computer search, some by hand. Table 7 is an extension of the second part of Table 8 in [6].

TABLE 7 Numbers a and b , satisfying $\sigma^*(a) / a = \sigma^*(b) / b$

a	b	$\sigma^*(a) / a = \sigma^*(b) / b$
2	$2^2 5, 2^3 3$	3/2
2^2	$2^3 3^2, 2^6 7 \cdot 13$	5/4
2^3	$2^4 17, 2^5 11$	9/8
2^5	$2^7 43$	33/32
2^7	$2^8 257$	129/128
2^9	$2^{11} 683$	513/512
2^{11}	$2^{13} 2731$	2049/2048
2^{15}	$2^{16} 65537, 2^{17} 43691$	32769/32768
$2 \cdot 3^3$	$2^2 3^2 5^2 13$	14/9
$2 \cdot 3^3 5$	$2^2 3 \cdot 5^2 13$	28/15
$2^2 3$	$2 \cdot 3^2$	5/3
$2^3 3^3 5$	$2^2 5^2 13$	7/5
$2^4 5 \cdot 7 \cdot 13$	$2 \cdot 5^2 13^2$	102/65
3	$3^2 5, 2^3 3^3 7$	4/3
3.5	$2^2 5^2 7 \cdot 13$	8/5
$3^2 7$	$3^3 5 \cdot 7^2$	80/63
3^3	$3^4 41$	28/27
5.7	$3 \cdot 5^3 7^2$	48/35
$5^2 13$	$3^2 5^3$	28/25
7	$5^2 7^2 13$	8/7
11	$2^5 11^2 31 \cdot 61$	12/11

Remark Several pairs (a, b) , satisfying condition 3.4 can be found with one of the following three rules [6]:

- (i) If $2^{\alpha+1} + 1$ ($\alpha \geq 1$) is a prime or a prime power, then the pair $a = 2^\alpha$, $b = 2^{\alpha+1} (2^{\alpha+1} + 1)$ satisfies 3.4.
- (ii) If $(2^{\beta+2} + 1) / 3$ ($\beta \geq 1$) is a prime or a prime power, then the pair $a = 2^\beta$, $b = 2^{\beta+2} (2^{\beta+2} + 1) / 3$ satisfies 3.4.

(iii) If $(3^{\gamma+1} + 1) / 2$ ($\gamma \geq 1$) is a prime or a prime power, then the pair $a = 3^\gamma$, $b = 3^{\gamma+1} (3^{\gamma+1} + 1) / 2$ satisfies 3.4.

Rules (i) and (iii) suggest the question: do the numbers $a = p^\alpha$, $b = p^{\alpha+1} q$, where p is a prime and q is a prime or a prime power, satisfy 3.4 for other values than $p = 2$ and $p = 3$? The answer is no. Indeed, if a and b satisfy 3.4, then

$$q = (p^{\alpha+1} + 1) (p - 1) = p^\alpha + p^{\alpha-1} + \dots + p + 1 + 2 / (p - 1);$$

hence q can only be an integer if $p = 2$ or $p = 3$.

Application of Theorem 3.2, with help of Table 7, to the 371 unitary amicable pairs constructed with Theorem 3.1, yielded 785 other pairs, making a total of 1156. 94 of these have been found by Hagis, Jr. [3], the other 1062 seem to be new.

Information about these 1156 unitary amicable pairs can be found in Tables 8 and 9 (pp. 24-35 and p. 36).

Description of Tables 8 and 9

Table 8 lists the 371 unitary amicable pairs constructed with Theorem 3.1, together with the number of isotopic pairs found with Theorem 3.2.

The greatest common divisor of the unitary amicable pair has been placed in column 1 of Table 8 (exponents are in linear form: 2^3 is written as 2E3), the remaining parts are in column 2. Column 3 gives the reference of the amicable pair, from which the unitary amicable pair has been constructed, viz., the no. in the LIST, or David [1]. In case of isotopic amicable pairs, two no.'s (one between brackets) are given in this column; both amicable pairs, of course, yield the same unitary amicable pair. Finally, column 4 tells how many unitary amicable pairs, isotopic with the pair in columns 1 and 2, have been constructed with Theorem 3.2. Pairs found by Hagis, Jr. [3] have been marked by the letter H. One letter H in column 4 means one pair from Hagis, Jr; this pair is explicitly given in [3].

The reader can find the isotopic pairs as follows. Take the part of the g.c.d. that stands to the left of the letter a. Call this number a and trace this number in column a of Table 9. The numbers b such that $\sigma^*(b) / b = \sigma^*(a) / a$ can be read from column b of Table 9. Sometimes,

not all given values of b can be used, because of one or more "disturbing" factors in the unitary amicable pair (factors such that the condition $(b, m_1) = (b, m_2) = 1$ of Theorem 3.2 cannot be satisfied). These disturbing factors have been underlined in Table 8. In a few cases, special disturbing factors always occur in unitary amicable pairs with the same a . These factors are also explicitly given in Table 9.

Table 8 has been divided into two parts. PART 1 deals with unitary amicable pairs, "constructed" from squarefree amicable pairs, PART 2 with those, constructed from non-squarefree amicable pairs. In PART 2, the g.c.d. of the original amicable pair has a place in column 1, between brackets.

Examples of Table 8.

<u>column 1</u>	<u>column 2</u>	<u>column 3</u>	<u>column 4</u>
g.c.d.	remaining parts	from no. in [5]	number of isotopic un.am. pairs, found with Th.3.2
(i) 2.5a	7.107.719, <u>17</u> .179.191 H	79	4
(ii) 2.7a19.61.853	<u>11</u> .3889679, <u>17</u> .37.68239 H	989	7 H
(iii) 2E10.3.5.7.41 (2E3)	17.79,23.59	6	0
(iv) 2.3E3.7a11 (3E3.5.11)	23.659,79.197	149(254)	4

(i) Unitary amicable pair (2.5.7.107.719, 2.5.17.179.191), found by Hagsis, Jr.; the amicable pair is no. 79 in the LIST. Four "isotopic" unitary amicable pairs were found. Indeed, for $a = 2.5$, Table 9 shows five possible values of b such that $\sigma^*(b) / b = \sigma^*(a) / a$.

a	b
2.5	2E3.3.5
	2E4.3.5.17
	2E5.3.5.11
	2E7.3.5.11.43
	2E8.3.5.11.43.257,

but the second value of b is impossible, because of the disturbing factor 17.

(ii) Unitary amicable pair $(2.7.19.61.853.11.3889679, 2.7.19.61.853.17.37.68239)$, indicated by Hags, Jr.; the amicable pair is no. 989 in the LIST. Seven isotopic unitary amicable pairs could be found with Theorem 3.2. One of them comes from Hags, Jr. For $a = 2.7$, with disturbing factors 11 and 17, Table 9 shows 7 possible values of b .

(iii) Unitary amicable pair $(2^{10}3.5.7.41.17.79, 2^{10}3.5.7.41.23.59)$, found with Theorem 3.1; the amicable pair is no. 6 $(2^317.79, 2^323.59)$ in the LIST. No isotopic unitary amicable pairs were found.

(iv) Unitary amicable pair $(2.3^37.11.23.659, 2.3^37.11.79.197)$, found with Theorem 3.1; the amicable pair is no. 149 $(3^35.11.23.659, 3^35.11.79.197)$ in the LIST, no. 254 in the LIST is "isotopic" with this pair.

Four isotopic unitary amicable pairs were found with Theorem 3.2; indeed, for $a = 2.3^37$, Table 9 gives four values of b , satisfying $\sigma^*(b) / b = \sigma^*(a) / a$.

4. Other unitary amicable pairs

In section 3 we have studied unitary amicable pairs, "generated" by ordinary amicable pairs, i.e. unitary amicable pairs which are connected with amicable pairs by Theorem 3.1. Only a part (about one third) of the known amicable pairs generates unitary amicable pairs. The other two thirds of the known amicable pairs seem to be "isolated" from the collection of unitary amicable pairs. For some amicable pairs, this is clear, viz., for "exotic" amicable pairs. Lee & Madachy [5a] define exotic pairs as (we cite) "pairs which satisfy one or both of the following conditions.

a) The quotient of at least one member of the pair by the greatest common divisor of the pair is not relatively prime to the greatest common divisor;
 b) the quotient of at least one member of the pair by the greatest common divisor of the pair is not square-free". Now let (a, m_1, a, m_2) be an exotic amicable pair (a is the g.c.d.); then theorem 3.1 cannot be applied to this pair because a) implies that $(a, m_1) \neq 1$ or $(a, m_2) \neq 1$, while b) implies that at least one of m_1 and m_2 is not squarefree. Thus the collection of exotic amicable pairs is isolated from the collection of unitary amicable pairs. Several non-exotic amicable pairs remain, from which I have not been able to construct unitary amicable pairs. I call these amicable pairs "maybe-isolated".

A close look at Theorem 3.1 reveals that it is easy to prove the converse theorem: if (n_1, n_2) is a unitary amicable pair, and if n_1 and n_2 can be written as $n_1 = a m_1$, $n_2 = a m_2$, where $a > 1$, $(a, m_1) = (a, m_2) = 1$ and m_1 and m_2 are squarefree, then the existence of a number $b > 1$ such that $(b, m_1) = (b, m_2) = 1$, and $\sigma(b) / b = \sigma^*(a) / a$, implies that the pair $(b m_1, b m_2)$ is an amicable pair.

All unitary amicable pairs, obtained in section 3 are thus connected with the collection of amicable pairs by this theorem. However, also isolated (exotic) and maybe-isolated unitary amicable pairs are known. We list them here. Those found by Hagis, Jr. are marked with the letter H.

Maybe-isolated unitary amicable pairs

$$H \quad 2^2_3.7 \left\{ \begin{matrix} 13.41 \\ 587 \end{matrix} \right.$$

Also: $2^2_3.7$ replaced by

$$H \quad 2.3^2_7, H \quad 2^2_3^2 5.7, 2.3^3 5.7^2.$$

$$H \quad 2^2_3.7 \left\{ \begin{matrix} 13.719 \\ 59.167 \end{matrix} \right.$$

Also: $2^2_3.7$ replaced by

$$H \quad 2.3^2_7, 2^2_3^2 5.7, 2.3^3 5.7^2, 2.3^4 5.7^2 41$$

Isolated (exotic) unitary amicable pairs

$$H \quad 2 \left\{ \begin{matrix} 3.19 \\ 3^2_7 \end{matrix} \right.$$

Also: 2 replaced by $H \quad 2^2_5$

$$H \quad 2.7 \left\{ \begin{matrix} 3^2_{11.13} \\ 3^3_{59} \end{matrix} \right.$$

Also: 2.7 replaced by $H \quad 2^2_5.7$

$$H \quad 2^2_3 \left\{ \begin{matrix} 5.11.13.23 \\ 5^3_{191} \end{matrix} \right.$$

Also: 2^2_3 replaced by $H \quad 2.3^2$

$$H \quad 2^2_3 \left\{ \begin{matrix} 5.11.467 \\ 5^2_{23.53} \end{matrix} \right.$$

Also: 2^2_3 replaced by $H \quad 2.3^2$ and $2^6_3.7.13$

$$2^2_3 \left\{ \begin{matrix} 5.13.31.53 \\ 5^3_{23.47} \end{matrix} \right.$$

Also: 2^2_3 replaced by 2.3^2

$$2^2_3 \left\{ \begin{matrix} 5.13.97.107 \\ 5^3_{11.587} \end{matrix} \right.$$

Also: 2^2_3 replaced by 2.3^2

$$2^2_3 \left\{ \begin{matrix} 5.17.1871 \\ 5^2_{11.647} \end{matrix} \right.$$

Also: 2^2_3 replaced by 2.3^2 and $2^6_3.7.13$

$$2^2_3 \left\{ \begin{matrix} 5.127.701 \\ 5^2_{7.2591} \end{matrix} \right.$$

Also: 2^2_3 replaced by 2.3^2

$$2^2_3 \left\{ \begin{matrix} 5.127.1871 \\ 5^2_{11.23.191} \end{matrix} \right.$$

Also: 2^2_3 replaced by 2.3^2 and $2^6_3.7.13$

5. Unitary t -cycles for $t \neq 2$.

In this section we present a list of all known unitary t -cycles for $t \neq 2^+$, viz. 5 for $t = 1$, 1 for $t = 3$, 8 for $t = 4$, 1 for $t = 5$, 1 for $t = 6$, 3 for $t = 14$ and 1 for $t = 25$. Those, marked with the letter N are new.

$$\begin{array}{l} \underline{t = 1} \quad \left. \begin{array}{l} 6(2.3) \quad 60(2^2 3.5) \quad 90(2.3^2 5) \\ 87360(2^6 3.5.7.13) \end{array} \right\} \text{(Subbarao \& Warren)} \\ 146361946186458562560000(2^{18} 3.5^4 7.11.13.19.37.79.109.157.313) \text{ (Wall)} \end{array}$$
$$\begin{array}{l} \underline{t = 3} \quad 30(2.3.5) \quad [6] \\ \quad 42(2.3.7) \\ \quad 54(2.3^3) \end{array}$$

<u>t = 4</u>	263820(2 ² 3.5.4397)N	395730(2.3 ² 5.4397)N
	263940(2 ² 3.5.53.83)	395910(2.3 ² 5.53.83)
	280380(2 ² 3.5.4673)	420570(2.3 ² 5.4673)
	280500(2 ² 3.5 ³ 11.17)	420750(2.3 ² 5 ³ 11.17)

$$\begin{aligned} &384121920(2^6 3.7.13.5.4397)N \\ &384296640(2^6 3.7.13.5.53.83) \\ &408233280(2^6 3.7.13.5.4673) \\ &408408000(2^6 3.7.13.5^3 11.17) \end{aligned}$$

209524210(2.5.7.19.263.599) (David)
246667790(2.5.17.59.24593)
231439570(2.5.19.23.211.251)
230143790(2.5.17.499.2713)

2514290520($2^3 3.5.7.19.263.599$) [6]
 2960013480($2^3 3.5.17.59.24593$)
 2777274840($2^3 3.5.19.23.211.251$)
 2761725480($2^3 3.5.17.499.2713$)

110628782880(2^5_3 .5.11.7.19.263.599) [6]
 130240593120(2^5_3 .5.11.17.59.24593)
 122200092960(2^5_3 .5.11.19.23.211.251)
 121515921120(2^5_3 .5.11.17.499.2713)

⁺A list of all unitary 2-cycles (m, n) with $\min(m, n) < 10^6$, including factorizations, can be found in [3].

19028150655360($2^7 3.5.11.43.7.19.263.599$) [6]

22401382016640($2^7 3.5.11.43.17.59.24593$)

21018415989120($2^7 3.5.11.43.19.23.211.251$)

20900738432640($2^7 3.5.11.43.17.499.2713$)

9780469436855040($2^8 3.5.11.43.257.7.19.263.599$) [6]

11514310356552960($2^8 3.5.11.43.257.17.59.24593$)

10803465818407680($2^8 3.5.11.43.257.19.23.211.251$)

10742979554376960($2^8 3.5.11.43.257.17.499.2713$)

<u>t = 5</u>	1482($2.3.13.19$) [6]	<u>t = 6</u>	698130($2.5.3^2 7757$)N
	1878($2.3.313$)		698310($2.5.3^2 7759$)
	1890($2.3^3 5.7$)		698490($2.5.3^3 13.199$)
	2142($2.3^2 7.17$)		712710($2.5.3^2 7919$)
	2178($2.3^2 11^2$)		712890($2.5.3^2 89^2$)
			713070($2.5.3^3 19.139$)

<u>t = 14</u>	2418($2.3.13.31$) [6]	24180($2^2 5.3.13.31$) [6]	35238($2.3.7.839$) [6]
	2958($2.3.17.29$)	29580($2^2 5.3.17.29$)	45402($2.3.7.23.47$)
	3522($2.3.587$)	35220($2^2 5.3.587$)	65190($2.3.5.41.53$)
	3534($2.3.19.31$)	35340($2^2 5.3.19.31$)	98160($2.3.83.197$)
	4146($2.3.691$)	41460($2^2 5.3.691$)	101478($2.3.13.1301$)
	4158($2.3^3 7.11$)	41580($2^2 5.3^3 7.11$)	117258($2.3.19543$)
	3906($2.3^2 7.31$)	39060($2^2 5.3^2 7.31$)	117270($2.3^2 5.1303$)
	3774($2.3.17.37$)	37740($2^2 5.3.17.37$)	117450($2.3^4 5^2 29$)
	4434($2.3.739$)	44340($2^2 5.3.739$)	74430($2.3^2 5.827$)
	4446($2.3^2 13.19$)	44460($2^2 5.3^2 13.19$)	74610($2.3^2 5.829$)
	3954($2.3.659$)	39540($2^2 5.3.659$)	74790($2.3^3 5.277$)
	3966($2.3.661$)	39660($2^2 5.3.661$)	65322($2.3^2 19.191$)
	3978($2.3^2 13.17$)	39780($2^2 5.3^2 13.17$)	49878($2.3^2 17.163$)
	3582($2.3^2 199$)	35820($2^2 5.3^2 199$)	38682($2.3^2 7.307$)

t = 25 763620($2^2 3.5.11.13.89$)N
 1050780($2^2 3.5.83.211$)
 1086180($2^2 3.5.43.421$)
 1141980($2^2 3.5.7.2719$)
 1469220($2^2 3.5.47.521$)
 1537500($2^2 3.5^5 41$)
 1088340($2^2 3.5.11.17.97$)
 1451820($2^2 3.5.24197$)
 1451940($2^2 3.5.7.3457$)
 1867740($2^2 3.5.7.4447$)
 2402340($2^2 3.5.40039$)
 2402460($2^2 3^4 5.1483$)
 1248180($2^2 3.5.71.293$)
 1291980($2^2 3.5.61.353$)
 1341780($2^2 3.5.11.19.107$)
 1768620($2^2 3.5.7.4211$)
 2274900($2^2 3.5^2.7583$)
 1668780($2^2 3^2 5.73.127$)
 1172820($2^2 3.5.11.1777$)
 1387500($2^2 3.5^5 37$)
 988260($2^2 3.5.7.13.181$)
 1457820($2^2 3^2 5.7.13.89$)
 1566180($2^2 3^2 5.7.11.113$)
 1717020($2^2 3^2 5.9539$)
 1144980($2^2 3^2 5.6361$)

Remark The new t-cycles in sections 4 and 5 have been found by a systematic computer search for all cycles of the form $(u v_0, u v_1, \dots, u v_{t-1})$ with $\min(u v_i) = \text{bound}_1$, $\max(u v_i) < \text{bound}_2$ and $t \leq 50$. The following cases (i) were considered:

$u = 60,$ $\text{bound}_1 \leq 6 \cdot 10^6,$ $\text{bound}_2 = 10 \cdot 10^6$
 $u = 60, 6 \cdot 10^6 <$ $\text{bound}_1 \leq 10.8 \cdot 10^6,$ $\text{bound}_2 = 15 \cdot 10^6$
 $u = 60, 10.8 \cdot 10^6 <$ $\text{bound}_1 \leq 14.4 \cdot 10^6,$ $\text{bound}_2 = 20 \cdot 10^6$

 $u = 90,$ $\text{bound}_1 \leq 6 \cdot 10^6,$ $\text{bound}_2 = 10 \cdot 10^6$
 $u = 90, 6 \cdot 10^6 <$ $\text{bound}_1 \leq 10.8 \cdot 10^6,$ $\text{bound}_2 = 15 \cdot 10^6$
 $u = 90, 10.8 \cdot 10^6 <$ $\text{bound}_1 \leq 16.2 \cdot 10^6,$ $\text{bound}_2 = 20 \cdot 10^6$

TABLE 8 Unitary amicable pairs constructed from ordinary amicable pairs

PART 1
(the ordinary amicable pairs are squarefree)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.5a	7.19.107, 47.359 H	18	5
	11.41.239, 17.29.223 H	43	1
	11.13.809, 19.6803 H	45	2
	7.21599, 19.47.179 H	54	5
	11.17.19.47, 239.863 H	55	1
	7.89.359, 23.59.179 H	58	5
	7.60659, 23.29.673 H	70	5
	7.163.449, 19.59.491 H	75	5
	7.107.719, 17.179.191 H	79	4
	7.11.11369, 757.1439 H	98	2
	11.19.41.103, 31.179.181 H	99	2
	7.19.7127, 71.79.197 H	105	5
	7.131.2339, 19.53.2287 H	146	5
	11.19.89.383, 17.359.1279 H	210	1
	17.19.149.163, 11.491.1499 H	219	1
	7.29.67.647, 47.89.2447 H	227	5
	7.863.2579, 23.29.24767 H	258	5
	13.19.179.383, 23.59.79.167	262	5
	11.19.115877, 17.61.24919 H	283	1
	7.11.929.953, 2879.29573 H	335	2
	7.11.929.1019, 2447.37199 H	340	2
	17.19.71.90149, 11.647.300499 H	537	1
	13.23.139.63737, 11.5879.42491 H	551	2
	11.23.71.1399, 29.59.83.191	David	2
2.5a11	53.1759, 59.1583 H	109	2
2.5a11.59	587.303731, 727.245321	760	2
2.5a11.61	239.161039, 38649599 H	681	2
2.5a11.83	79.3664781, 5351.54779	796	2
2.5a11.89	109.2563199, 191.1468499	800	2
2.5a11.109	59.298223, 607.29429	669	2
2.5a11.167	41.14328599, 1259.477619	870	2
2.5a11.229	43.494639, 197.109919 H	715	2
2.5a11.809	29.1708607, 1759.29123	827	2

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.5a13	23.2339, 53.1039 H <u>17</u> .197.2339, 1619.5147 H <u>17</u> .179.5381, 2339.7451 H <u>19</u> .89.70979, 1039.122849 H <u>19</u> .83.129011, 5039.43003 H	87 360 406 523 550	5 4 4 5 5
2.5a13.59	<u>43</u> .1352987, 167.354353	705	3
2.5a <u>17</u>	<u>13</u> .47.2549, 359.4759 H <u>11</u> .101.1889, 1427.1619 H <u>11</u> .101.3659, 719.6221 H <u>13</u> .41.23459, 3331.4139 H <u>11</u> .89.227629, 1699.144611 H	288 305 336 405 567	4 1 1 4 1
2.5a19	<u>11</u> .59.15199, 151.71999 H <u>11</u> .47.27739, 359.44383 H <u>11</u> .61.538649, 139.2862539 H <u>11</u> .41.34154399, 9629.1787519 H	396 419 601 804	2 2 2 2
2.5a19.37	29.73.491, 179.6067 H 29.47.1627, 2344319	478 522	5 5
2.5a29	7.67.2021183, 24683.44543	684	5
2.5a31	7.30689, 59.4091 H	204	5
2.5a47.67	7.2550689, 107.188939	720	5
2.5a67	7.59.401, 31.6029 H	243	5
2.5a79	<u>11</u> .23.7109, <u>17</u> .113759 H	383	1
2.5a107.1069	2137.25643 7.5538887, <u>17</u> .2461727 H	1077	4
2.5a929	7. <u>11</u> .5573, 535103 H	446	2
2.7a	<u>11</u> .13.29.47, 19.23.503 H <u>5</u> . <u>13</u> .17.293, 71.6173 H <u>5</u> .13. <u>83</u> .191, 31.71.587 H <u>5</u> .31.7853, 13.43.2447 H <u>5</u> .539783, 13.41.53.101 H <u>5</u> .11.97.26212247, 23.6803.1132627 H <u>5</u> . <u>13</u> .23.28687, <u>43</u> .223.5867	61 73 127 135 177 782 David	7 H 4 5 3 5 2 3
2.7a <u>11</u>	<u>13</u> .71.241, 23.10163 H <u>13</u> .19.10889, 83.36299 H <u>13</u> .43.13499, 29.359.769 H <u>19</u> .53.7699, <u>17</u> .149.3079 H <u>13</u> .191.5939, <u>19</u> .307.2591 H	168 313 368 370 411	7 H 7 H 7 H 7 H 7 H

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.7a <u>11</u> .43	<u>13</u> .131.1289,139.17027 H	516	7 H
2.7a <u>13</u>	<u>11</u> .103.149, <u>17</u> .10399 H <u>11</u> .17.1039, <u>53</u> .4159 H <u>11</u> .79.1637,23.59.1091	160 172 David	5 H 5 H 7
2.7a <u>13</u> .181	<u>11</u> .499559, <u>17</u> .229.1447 H	660	5 H
2.7a <u>17</u>	<u>5</u> .101.797,113.4283 H <u>5</u> .47.173501,1223.40823 H <u>5</u> .47.33195287,1181.8088191 H	234 494 777	4 4 4
2.7a <u>17</u> .101	<u>5</u> .309224831,4283.433087	919	4
2.7a19	<u>11</u> . <u>13</u> .71.113,83.107.151	David	7
2.7a19.61.853	<u>11</u> .3889679, <u>17</u> .37.68239 H	989	7 H
2.11a	<u>5</u> .23.43.67, <u>7</u> .197.271 H	89	2
2.17a	<u>7</u> . <u>11</u> .67.1968353, <u>5</u> .23.1223.72901 H	691	1
3.5.7	13.47.269,23.29.251 H 11.13.37.3779,24131519 H 13.17.19.463,383.6089	136 403 David	0 0 0
3.5.7.11a	503.1319,769.863 H 293.5279,1231.1259 H 347.23099,449.17863 H 233.1019479,1091.218459 H	344 395 492 683	3 3 3 3
3.5.7.13.79	269.1511743,467.872159	929	0
3.5.7.19.31	139.1081403,167.901169	865	0
3.5.7.23	17.41.229,107.1609 H 13.137.149,139.2069 H	308 329	0 0
3.5.11a	7.17.439,23. <u>43</u> .59 H	96	1

TABLE 8 (cont.)

PART 2
(the ordinary amicable pairs are not squarefree)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.5E2.7.13a (2.5E2.31)	19.359,47.149 29.41.59,179.419 17.109.149,107.2749 19.59.599,79.8999	111 241 314 361	7 7 6 7
2.5E2.7.13a79 (2.5E2.31.79)	<u>17.7109,127979</u>	517	6
2.5.7E2a13 (2.7E2.13.19)	47.65519,1663.1889 47.67157,1511.2131	607 608	5 5
2.5.7E2a (2.7E2.19)	13. <u>17.41</u> ,97.107	134	4
2.5.7E2a23 (2.7E2.19.23)	<u>11.13523,162287</u>	471	2
2E6.3.5.13 (2E2)	11.17.19.47,31.71.89	36	0
2E6.3.5.11.13 (2E2.11)	17.263,43.107 19.197.443,53.73.439 17.29.16631,263.34019 19.1259.2969,29.149.16631 17.107.1038311,37.4751.11177	22 211 307 429 614	0 0 0 0 0
2E6.3.5.11.13.23 (2E2.11.23)	131.36988691,3041.1605031	830	0
2E6.3.5.13.19 (2E2.19)	11.113.7774829,17.97.773.7789 11.151.34618949,23.37.569.121469 825	739 825	0 0
2E6.3.5.13.19.29.61 (2E2.19.29.61)	17.2957767,131.403331	845	0
2E6.3.5.13.19.37 (2E2.19.37)	11.44172449,41.1109.11369	767	0
2E6.3.5.13.23.53 (2E2.23.53)	11.18943259,17.2437.5179	751	0

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2E10.3.5.7.41 (2E3)	17.79,23.59	6	0
	17.29.47,59.431	21	0
	13.23.149,199.251	26	0
	13.23.251,97.863	31	0
	11.29.239,191.449	32	0
	11.31.233,127.701	34	0
	29.47.59,17.4799	35	0
	17.19.281,53.1879	37	0
	11.59.173,47.2609	40	0
	13.23.1109,71.5179	59	0
	11.163.191,31.11807	62	0
	11.23.1619,647.719	65	0
	11.23.1871,467.1151	67	0
	17.71.439,23.131.179	69	0
	11.23.2543,383.1907	76	0
	11.31.2099,79.10079	81	0
	17.53.1039,23.179.233	90	0
	17.79.769,29.43.839	95	0
	11.211.503,47.83.317	103	0
	11.71.1801,67.107.211	116	0
	17.47.2239,23.167.479	126	0
	11.71.2459,53.163.239	131	0
	17.103.1289,19.107.1117	140	0
	11.79.2879,47.149.383	143	0
	17.23.37.173,1367.2087	144	0
	19.23.29.223,1439.2239	150	0
	13.139.1979,23.349.461	159	0
	19.23.53.191,71.69119	174	0
	11.359.1223,29.271.647	180	0
	13.37.10079,47.139.797	182	0
	17.59.5641,19.433.701	186	0
	13.29.16127,59.293.383	192	0
	13.431.1511,23.107.3527	206	0
	13.23.83.347,587.16703	208	0
	11.71.11689,59.83.2003	212	0
	11.59.14489,53.137.1399	217	0
	13.31.53.457,167.65951	218	0
	13.990719,29.47.9631	239	0
	19.71.9719,23.47.12149	240	0
	13.127.10169,23.223.3389	252	0
	19.53.22679,17.719.1889	267	0
	19.53.26861,17.659.2441	277	0
	13.659.3797,19.593.2953	287	0
	19.53.36721,17.601.3659	296	0
	23.29.127.443,31.89.14207	298	0
	11.1877.2447,31.101.16901	311	0

TABLE 8 (cont.)

g.c.d.	remaining parts	from no.	number of isotopic
		in [5]	un. am. pairs, found with Theorem 3.2
2E10.3.5.7.41 (2E3) (cont.)	13.89.55579, 29.97.23819	319	0
	13.863.6029, 23.89.33767	323	0
	13.23.61.4517, 3347.28111	331	0
	17.19.270143, 47.1259.1607	337	0
	17.19.291199, 47.1091.1999	343	0
	11.67.164429, 53.101.24359	355	0
	11.59.383.503, 47.863.3359	357	0
	19.59.138401, 17.263.34949	375	0
	11.499.29429, 29.149.39239	378	0
	17.19.591623, 47.809.5477	386	0
	19.53.214541, 17.521.24659	391	0
	11.227.114847, 31.151.64601	412	0
	17.29.37.18311, 71.5218919	418	0
	11.139.223439, 31.251.46549	420	0
	11.911.42499, 37.67.179999	434	0
	17.43.639007, 23.151.138731	442	0
	19.23.29.47189, 197.3431999	457	0
	19.23.223.8861, 31.29776319	475	0
	11.79.995651, 53.83.210719	476	0
	13.1061.102499, 19.353.215249	503	0
	11.103.1732799, 31.607.111149	525	0
	13.19.131.69191, 2239.1141667	532	0
	13.23.59.148367, 29567.101159	538	0
	11.23.257.44893, 24767.134681	546	0
	13.23.59.210143, 25343.167159	556	0
	11.29.79.182239, 48239.108799	565	0
	11.113.4113059, 29.3527.53161	572	0
	13.27.89.146383, 19.293.972407	574	0
	11.29.79.211499, 42299.143999	575	0
	13.23.59.325439, 23039.284759	577	0
	13.23.59.354551, 22751.314159	579	0
	11.29.79.264599, 37799.201599	583	0
	11.29.79.292979, 36479.231299	589	0
	13.17.449.79159, 55411.161999	592	0
	13.17.479.92177, 6803.1638719	610	0
	13.19.1993.26099, 149.97147679	624	0
	13.23.59.1117079, 20879.1078559	651	0
	13.9521.556159, 29.47.51486511	717	0
	13.23.59.4594127, 20327.4556159	728	0
	13.17.449.3387971, 28619.13424039	797	0
	13.17.443.3434129, 119447.3216779	798	0
	13.9371.7391159, 29.47.673457861	851	0
	13.11807.6742199, 19.271.204883559	861	0
	17.19.7699.1261459, 47.769.94609499	909	0
	11.59.113.349, 79.449.797	David	0
	11.23.349.1439, 2999.48383	David	0

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2E10.3.5.7.17.41 (2E3.17)	71.1223.1172663,105407.980423 71.1223.5025239,91367.4847039 71.1223.8663003,89963.8486207	881 946 957	0 0 0
2E10.3.5.7.19.41 (2E3.19)	67.1367,101.911 47.179.1883051,24623.660719 89.113.191,1367.1439	125 789 David	0 0 0
2E10.3.5.7.19.41.137 (2E3.19.137)	83.218651,18366767	696	0
2E10.3.5.7.23.41 (2E3.23)	29.137.2887,359.33211 29.137.599,827.2999	404 David	0 0
2E10.3.5.7.29.41 (2E3.29)	19.2087,173.239 17.1217.20939,251.1821779 19.107.233159,647.777199	101 621 630	0 0 0
2E10.3.5.7.31.41 (2E3.31)	23.61.449,199.3347 17.107.4339,8436959	259 397	0 0
2E10.3.5.7.37.41 (2E3.37)	23.47.73,85247	151	0
2E10.3.5.7.41.83 (2E3.83)	11.331.383,71.21247	352	0
2E10.3.5.7.41.467 (2E3.467)	11.532379,37.89.1867	542	0

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2E2.3.5E2a (3E2.5)	7.11.29,31.89 H	14	1 H
	7.19.23.71,31.79.107	108	1
	7.19.2663,11.73.479	132	1
	7.11.59.89,31.107.149	141	1
	7.17.29.479,19.71.1439	214	1
	7.11.17.4259,53.283.479	David	1
2E2.3.5E2a7 (3E2.5.7)	53.1889,102059	162	1
	71.4339,239.1301	236	1
	71.5879,223.1889	249	1
	59.708959,421.100799	513	1
	83.149.5807,2879.25409	545	1
	59.461.9337,8819.29347	613	1
	97.113.25849,12539.23029	618	1
	83.149.42767,1889.285119	657	1
	83.139.78539,19403.47599	685	1
	83.139.93683,16879.65267	690	1
	83.139.108863,15679.81647	699	1
	59.419.147377,54449.68207	758	1
	59.419.170741,40949.105071	765	1
	59.419.182159,38639.118799	769	1
	53.2099.49633,26891.209299	775	1
	59.419.233279,33599.174959	776	1
	59.419.244199,32999.186479	778	1
	59.419.325939,30319.270899	794	1
	53.4073.42239,3779.2458367	802	1
	59.419.636473,27449.584303	832	1
	53.1931.198769,81971.252979	841	1
	53.1931.211319,77279.285281	846	1
	59.419.1274249,26249.1223279	867	1
	83.139.5742623,11807.5719279	900	1
	53.1889.886463,139967.646379	910	1
	59.419.5316959,25439.5266799	925	1
	53.1889.1411829,121013.1190699	930	1
2E2.3.5E2a7.107 (3E2.5.7.107)	3209.4493,14425739	712	1
2E2.3.5E2a7.137 (3E2.5.7.137)	307.24659,839.9041	688	1
2E2.3.5E2a7.181 (3E2.5.7.181)	149.121631,719.25339	753	1
2E2.3.5E2a7.251 (3E2.5.7.251)	89.28571831,31123.82619	974	1
	101.78010799,739.10752839	992	1

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2E2.3.5E2a7.379 (3E2.5.7.379)	79.6653723, 757.702239	947	1
2E2.3.5E2a11.19 (3E2.5.11.19)	139.7523, 569.1847 193.75239, 227.64019	496 642	2 2
2E2.3.5E2a11.29 (3E2.5.11.29)	43.6263, 47.5741	445	2
2E2.3.5E2.13a (3E2.5.13)	11.19, 239 H 19.47, 29.31 11.199, 29.79 19.23.43, 47.439 11.31.89, 127.269 11.47.59, 71.479 11.23.239, 179.383 23.29.97, 19.3527 17.43.149, 19.5939 11.19.1409, 449.751 11.258299, 29.59.1721 11.23.79.1051, 24238079 11.59.644999, 29.719.21499 11.19.211.14699, 747935999	15 30 48 114 137 138 173 178 203 264 389 507 677 697	3 HH 3 H 3 H 3 3 3 3 3 3 3 3 3 3 3
2E2.3.5E2.13a19 (3E2.5.13.19)	29.569, 17099 37.1583, 227.263 29.44687, 1063.1259 31.184337, 263.22343 37.113.28499, 7219.17099 37.113.255587, 4483.246923 29.569.113021, 28349.68171 29.569.117779, 27179.74099 29.569.125113, 25849.82763 29.569.152459, 23099.112859 29.569.289381, 19531.253349 37.113.1165187, 4363.1156643	268 330 515 594 764 874 898 903 906 911 939 940	3 3 3 3 3 3 3 3 3 3 3 3
2E2.3.5E2.13a29 (3E2.5.13.29)	17.1217.7039, 79.1929311	792	3
2E2.3.5E2.13a41 (3E2.5.13.41)	23.29.3361, 71.33619 11.2686319, 223.143909	585 736	2 2
2E2.3.5E2.13a79 (3E2.5.13.79)	11.72047, 37.22751	564	3
2E2.3.5E2.13a79.157 (3E2.5.13.79.157)	17.5023, 23.3767	726	3

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2E2.3.5E2a17.19 (3E2.5.17.19)	23.19379, 37.12239	472	2
2E2.3.5E2a19 (3E2.5.19)	<u>7</u> .227, 37.47	50	1
2E2.3.5E2a19.37 (3E2.5.19.37)	<u>7</u> .887, 7103	270	1
2E2.3.5E2a31 (3E2.5.31)	<u>7</u> .929, 11.619	100	1
2.3E3a7 (3E2.7.13)	5.17, 107 H <u>5</u> .17.1187, 131.971	12 222	1 1
2.3E3a7.37 (3E2.7.13.37)	<u>5</u> .14207, 191.443	407	1
2.3E3.7.41 (3E2.7.13.41)	<u>5</u> .4591, 163.167	346	0
2.3E3.7.41.163 (3E2.7.13.41.163)	<u>5</u> .977, 5867	552	0
2.3E3a7.131 (3E2.7.13.131)	<u>5</u> .4493.6287, 23.7064567	886	1
2.3E3a11.17.373 (3E2.11.13.17.373)	<u>5</u> .47.2237, 71.8951	824	1
2E2.3.7a (3E2.7E2.13.19)	11.10499, 89.1399 11.79.2029, 1948799 11.83.5711, 2351.2447 11.83.38821, 1061.36847 11.359.9463, 107.378559 11.83.63439, 1039.61487 11.83.83591, 1031.81647 17.23.1335949, 3079.187379	508 665 722 817 821 839 862 941	6 6 6 6 6 6 6 6
2E2.3.7a23 (3E2.7E2.13.19.23)	83.1931, 162287	700	6
2E2.3.7a29 (3E2.7E2.13.19.29)	<u>41</u> .173, 7307	544	5
2E2.3.7a83 (3E2.7E2.13.19.83)	17.149.829, 107.20749	894	6
2E2.3.7a307 (3E2.7E2.13.19.307)	17. <u>41</u> .613, 107.4297	884	5

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.3E3.7a (3E3.5)	11.17.227,23.37.53 11.13.17.107,53.6047 17.29.31.41,13.71.719	82(170) 171 225	6 3 1
2.3E3.7a11 (3E3.5.11)	23.659,79.197 23.7523,53.3343 17.241.1999,2903.2999 17.409.2111,439.35423 17.293.3299,659.26459 17.211.6863,2861.9151 23.509.2441,59.498167 17.197.21059,7019.10691 19.4113647,131.419.1483 17.197.49139,4211.41579 17.197.135089,3761.127979 19.89.910909,38219.42899 19.89.1205819,26729.81199 19.89.1590467,24097.118799 17.197.1379069,3581.1372139	149(254) 286(388) 505(606) 541(641) 547(646) 563(670) 573(680) 625(727) 635(735) 676(770) 732(822) 786(882) 805(893) 820(908) 847(926)	6 6 6 6 6 6 6 6 6 6 6 6 6 6 6
2.3E3.7a11.43 (3E3.5.11.43)	67.874619,1289.46103	814(905)	6
2.3E3.7a11.131 (3E3.5.11.131)	23.26723,271.2357	637(737)	6
2.3E3.7a13 (3E3.5.13)	11.467.33569,10529.17903 11.467.60779,7019.48623 11.467.488239,5743.477359	687 716 826	3 3 3
2.3E3.7a13.23 (3E3.5.13.23)	827.20071,1103.15053	731	3
2.3E3.7a13.1013 (3E3.5.13.1013)	11.4051,48623	611	3
2.3E3.7a17.19 (3E3.5.17.19)	79.3229,199.1291 101.113.84811,17707.55691 101.113.245251,12907.220931 101.113.298343,12647.274283 101.113.407483,12347.383723 101.113.593291,12107.569771 101.113.732731,12011.709307	502(599) 927(978) 960(994) 966(998) 975(1001) 983(1007) 985(1009)	6 6 6 6 6 6 6
2.3E3.7a17.31.61 (3E3.5.17.31.61)	67.4391,101.2927	763(857)	6

TABLE 8 (cont.)

g.c.d.	remaining parts	from no. in [5]	number of isotopic un. am. pairs, found with Theorem 3.2
2.3E3.7a19.37.73 (3E3.5.19.37.73)	23.6569, 107.1459	754(840)	6
2.3E3.7a23 (3E3.5.23)	11.19.367, 79.1103	281(384)	6
2.3E3.7a23.229.457 (3E3.5.23.229.457)	<u>13</u> .17.2741, 107.6397	973	3
2.3E3.7a113 (3E3.5.113)	<u>13</u> .17.6553, 11.137633	543	3
2.3E3.5E2.7a (3E3.5E3)	29.41.43.59, 19.131.1259	498(539)	1
2.3E3.5E2.7a13 (3E3.5E3.13)	149.449, 67499	423(467)	1
	191.589049, 271.415799	831(869)	1
	149.461.291857, 14699.1375901	997(1008)	1
	149.449.395039, 148139.179999	1000(1012)	1
	149.449.438899, 115499.256499	1002(1015)	1
	149.449.521399, 98999.355499	1005(1017)	1
	149.449.603899, 91499.445499	1006(1019)	1
	149.449.1076399, 77999.931499	1016(1025)	1
	149.449.1558619, 74219.1417499	1022(1030)	1
	149.449.1707947, 73547.1567499	1024(1031)	1
	149.449.2366099, 71699.2227499	1026(1033)	1
	149.449.6203411, 69011.6067499	1034(1040)	1
	139.569.6594659, 287279.1831849	1035(1042)	1

TABLE 9 Numbers a and b, satisfying $\sigma^*(a)/a = \sigma^*(b)/b$, used in TABLE 8 for the construction of unitary amicable pairs

a	dist. factors	b	a	b
2.5		2E3.3.5 2E4.3.5.17 2E5.3.5.11 2E7.3.5.11.43 2E8.3.5.11.43.257	2.5E2.7.13	2.3E2.5E3.7 2E2.3.5E3.7 2E3.3.5E2.7.13 2E4.3.5E2.7.13.17 2E5.3.5E2.7.11.13 2E7.3.5E2.7.11.13.43 2E8.3.5E2.7.11.13.43.257
2.7	5	2E3.3.7 2E4.3.7.17 2E5.3.7.11 2E7.3.7.11.43 2E8.3.7.11.43.257	2.5.7E2	2E3.3.5.7E2 2E4.3.5.7E2.17 2E5.3.5.7E2.11 2E7.3.5.7E2.11.43 2E8.3.5.7E2.11.43.257
2.7	11, 13	2.3E2.5E3.7E2 2E2.3.5E3.7E2 2E2.5.7 2E3.3.7 2E3.3E2.5.7 2E4.3.7.17 2E4.3E2.5.7.17	2E2.3.5E2 2E2.3.5E2.13	2.3E2.5E2 2E6.3.5E2.7.13 2.3E2.5E2.13 2.3E3.5 2.3E4.5.41
2.7	11, 17	2.3E2.5E3.7E2 2.5E2.7E2.13 2E2.3.5E3.7E2 2E2.5.7 2E3.3.5E2.7E2.13 2E3.3.7 2E3.3E2.5.7	2E2.3.7	2.3E2.5E2.7E2.13 2.3E2.7 2.3E3.5.7E2 2.3E4.5.7E2.41 2E2.3.5E2.7E2.13 2E2.3E2.5.7
2.11	5, 7	2E3.3.11 2E4.3.11.17	2.3E3.5E2.7	2.3E4.5E2.7.41
2.17	5, 7, 11	2E3.3.17	3.5.7.11	2E5.3.5.7.11E2.31.61 2E7.3.5.7.11E2.31.43.61 2E8.3.5.7.11E2.31.43.61.257
2.3E3	5	2.3E4.41	3.5.11	2E5.3.5.11E2.31.61 2E7.3.5.11E2.31.43.61 2E8.3.5.11E2.31.43.61.257
2.3E3.7		2.3E3.5E2.7E2.13 2.3E4.5E2.7E2.13.41 2.3E4.7.41 2E2.3E2.5E2.7.13 2E2.3E3.5.7 2E2.3E4.5.7.41		

TABLE 10 Periodic unitary aliquot sequences; starting values
 $(\epsilon(40000, 100000])$, preperiods and endpoints.

40002	76	56430	40524	8	54	41046	10	2178	41678	10	30	42104	3	42	42578	5	126	
40004	7	42	40530	34	2178	41052	8	42	41680	4	60	42114	82	56430	42596	6	114	
40006	7	30	40540	7	114	41058	9	2178	41682	28	2178	42122	6	30	42600	6	114	
40010	9	90	40544	3	126	41072	6	30	41688	5	1140	42126	81	56430	42606	38	156430	
40014	32	56430	40546	7	30	41082	76	56430	41694	27	2178	42142	7	90	42610	5	54	
40018	10	114	40554	27	56430	41100	10	30	41700	7	90	42146	10	90	42614	6	30	
40022	10	30	40556	6	30	41110	6	90	41706	26	2178	42152	6	30	42624	7	42	
40032	4	114	40564	24	56430	41116	6	126	41710	7	30	42170	10	30	42632	4	90	
40036	12	1890	40568	6	30	41120	6	30	41716	24	56430	42172	7	114	42636	9	54	
40038	186	56430	40584	8	30	41128	5	42	41720	8	30	42186	29	56430	42648	10	30	
40048	8	30	40588	8	30	41136	8	42	41728	7	11	2958	42658	11	2958	42658	11	54
40050	185	56430	40594	7	114	41140	4	126	41736	8	30	42198	15	2178	42662	7	42	
40052	6	30	40604	7	30	41152	6	42	41738	5	126	42216	10	30	42664	7	42	
40060	7	30	40628	6	90	41168	6	30	41744	5	90	42226	7	30	42676	5	54	
40094	8	30	40650	29	56430	41194	6	90	41784	6	90	42236	4	60	42688	5	30	
40098	17	2178	40654	9	90	41218	6	42	41796	7	30	42254	10	42	42692	6	30	
40114	7	90	40658	5	126	41230	11	90	41800	7	30	42258	33	2178	42704	4	126	
40126	9	42	40660	6	90	41232	4	60	41802	57	1291050	42266	8	54	42716	7	30	
40132	8	42	40674	80	56430	41250	53	1291050	41804	27	2178	42268	8	2958	42724	6	1890	
40140	12	30	40682	4	60	41252	6	60	41814	56	1291050	42270	32	2178	42726	34	1890	
40150	5	126	40686	79	56430	41258	10	30	41826	5	56430	42272	5	90	42728	4	1890	
40168	8	90	40698	78	56430	41260	7	54	41838	4	56430	42274	7	60	42736	8	30	
40172	8	42	40704	7	30	41266	7	90	41846	6	30	42276	6	126	42738	33	2178	
40182	21	2178	40710	188	56430	41280	8	30	41854	8	126	42282	26	2178	42750	33	2178	
40198	5	54	40726	5	126	41290	6	54	41856	8	30	42296	5	114	42758	10	54	
40212	6	42	40728	9	30	41312	4	30	41880	12	30	42298	7	30	42768	8	30	
40220	8	90	40730	5	126	41316	5	2958	41884	6	90	42312	8	30	42788	7	42	
40234	9	42	40734	32	56430	41322	56	56430	41886	33	56430	42318	26	56430	42792	9	30	
40238	5	30	40762	11	54	41330	7	126	41914	9	30	42334	6	42	42796	3	2178	
40240	5	30	40768	6	114	41334	17	56430	41920	6	114	42344	5	54	42798	17	2178	
40242	5	56430	40794	36	2178	41346	16	56430	41922	203	56430	42346	11	30	42810	20	2178	
40246	5	42	40806	30	56430	41356	6	30	41932	7	30	42348	9	1890	42814	5	54	
40256	5	30	40818	74	56430	41360	5	42	41940	4	21180	42352	5	54	42820	7	30	
40272	7	30	40824	6	90	41370	9	38682	41946	14	2178	42358	7	42	42826	7	30	
40278	37	2178	40824	6	54	41370	7	42	41948	5	42	42388	23	2178	42844	7	126	
40284	6	90	40830	73	56430	41380	7	39	2178	41958	13	42392	5	114	42846	188	56430	
40304	5	30	40834	5	90	41382	39	90	41960	5	90	42396	7	126	42850	5	90	
40306	12	42	40840	7	114	41416	3	30	41960	5	90	42396	7	126	42850	5	90	
40320	7	30	40852	6	30	41420	6	42	41980	8	114	42402	15	2178	42872	5	90	
40338	39	56430	40872	5	90	41428	23	2178	41982	38	56430	42406	11	30	42882	61	56430	
40346	5	42	40878	202	56430	41434	7	42	41986	7	30	42416	6	30	42888	13	30	
40348	5	90	40884	8	42	41446	9	30	41994	37	56430	42418	7	90	42892	8	42	
40350	23	2178	40888	5	30	41460	8	41460	41996	4	54	42424	3	42	42896	6	30	
40364	3	90	40890	24	38682	41464	5	30	42000	7	54	42452	4	42	42900	1	44460	
40366	4	90	40894	6	114	41512	11	30	42004	21	2178	42456	9	90	42906	20	2178	
40370	6	42	40900	3	126	41548	9	54	42006	85	56430	42458	5	2118	42912	5	42	
40380	8	30	40904	4	90	41558	7	126	42018	84	56430	42464	6	90	42918	19	2178	
40386	17	2178	40906	11	54	41576	8	54	42028	8	114	42468	6	42	42922	9	30	
40436	8	30	40908	5	90	41580	24	41580	42034	8	114	42478	6	42	42924	7	30	
40446	2	40446	40914	25	2178	41588	4	2178	42036	7	90	42498	33	56430	42926	7	42	
40448	6	54	40936	6	114	41588	4	54	42040	4	114	42508	6	90	42934	9	114	
40458	39	2178	40958	7	90	41592	7	126	42044	3	3966	42510	84	56430	42936	5	54	
40460	8	30	40978	9	30	41598	42	56430	42046	6	90	42512	6	42	42946	6	42	
40462	9	42	40980	11	30	41616	4	60	42050	6	30	42522	36	2178	42952	7	30	
40468	8	30	40992	8	30	41620	5	60	42076	6	30	42524	6	54	42954	10	18178	
40470	182	56430	40996	5	54	41624	4	42	42078	75	56430	42534	9	2178	42966	9	2178	
40482	203	56430	41022	33	56430	41634	203	56430	42082	6	42	42538	7	30	42984	5	42	
40492	6	90	41028	6	90	41640	13	30	42084	11	126	42558	16	2178	43002	200	56430	
40500	7	30	41030	10	90	41650	9	90	42088	5	60	42562	7	30	43010	10	30	
40506	20	2178	41038	11	42	41658	14	2178	42090	74	56430	42570	20	2178	43012	27	56430	
40518	30	56430	41044	6	90	41676	7	126	42092	6	30	42572	6	42	43014	37	2178	

43018	6	42	43432	9	30	43934	4	114	44442	10	2178	44944	4	2418	45590	8	30
43026	38	2178	43438	7	90	43938	33	56430	44454	206	56430	44946	10	2178	45594	16	1590
43028	5	42	43448	6	30	43986	24	2178	44460	209	44460	44954	17	42	45616	6	42
43034	8	30	43456	3	126	43998	23	2178	44466	209	56430	44958	32	56430	45626	187	56430
43038	38	56430	43460	6	42	44010	22	2178	44476	4	60	44966	6	90	45626	10	42
43048	7	42	43462	9	54	44012	6	30	44478	204	56430	44974	7	60	45628	5	90
43052	8	1890	43464	12	30	44020	7	42	44980	5	42	44986	6	126	45630	186	56430
43062	13	2178	43468	18	30	44046	15	2178	44986	9	90	45002	6	30	45638	7	126
43070	6	114	43472	4	1878	44054	6	42	44996	6	126	45018	6	18018	45642	76	56430
43074	12	2178	43474	7	114	44072	4	30	44998	8	30	45030	193	56430	45644	5	54
43076	5	54	43476	8	126	44074	7	54	44998	32	56430	45032	5	42	45654	75	56430
43086	188	56430	43500	3	2178	44078	10	30	44998	3	54	45052	6	42	45656	4	42
43092	6	42	43506	28	2178	44084	6	90	44998	29	56430	45072	4	90	45660	13	30
43098	39	56430	43508	4	54	44086	6	42	44998	7	114	45090	13	56430	45670	9	30
43110	21	2178	43520	7	30	44092	8	1890	44998	82	56430	45102	37	2178	45680	4	30
43120	7	30	43566	33	4878	44104	5	126	44998	21	2178	45114	36	2178	45690	20	2178
43128	8	30	43572	6	42	44130	70	56430	44998	8	90	45120	7	114	45702	77	56430
43146	12	2178	43578	8	2178	44136	4	60	44998	7	90	45132	12	54	45706	6	54
43152	9	30	43584	6	54	44142	32	2178	44998	5	90	45138	15	30	45732	8	42
43156	21	2178	43590	75	56430	44144	3	90	44998	9	42	45144	8	30	45748	24	56430
43158	85	56430	43592	4	60	44154	31	56430	44998	7	90	45150	14	2178	45748	24	56430
43160	4	60	43616	2	126	44156	7	54	44998	36	2178	45162	76	56430	45756	10	42
43168	9	30	43636	23	2178	44168	8	126	44998	12	30	45170	8	30	45780	12	30
43170	84	1291050	44182	7	90	44654	7	90	44998	7	30	45176	6	30	45786	18	2178
43174	6	114	43642	3	114	44190	196	56430	44998	8	30	45184	5	90	45790	8	126
43182	28	56430	43650	14	2178	44192	8	30	44998	39	56430	45198	79	56430	45794	5	90
43188	7	30	43656	7	126	44200	4	114	44998	5	56430	45202	7	90	45796	23	56430
43190	7	54	43660	4	126	44214	28	56430	44998	4	56430	45206	9	90	45798	31	2178
43194	36	2178	43662	29	2178	44224	4	54	44998	5	42	45214	11	30	45802	6	54
43198	11	42	43670	8	30	44226	27	56430	44998	24	2178	45240	11	30	45824	2	114
43210	6	42	43684	6	90	44230	9	90	44998	6	56430	45246	66	56430	45836	8	126
43212	6	42	43686	30	56430	44232	7	60	44998	12	30	45258	65	56430	45840	11	30
43218	39	2178	43714	7	30	44236	5	90	44998	4	30	45282	30	2178	45848	4	30
43224	6	42	43720	5	126	44244	7	90	44998	4	30	45284	6	90	45858	32	49878
43230	35	2178	43722	13	2178	44250	202	56430	44998	5	42	45294	29	2178	45868	6	42
43232	5	54	43726	7	90	44258	11	30	44998	4	2178	45306	28	2178	45870	31	49878
43234	7	42	43730	9	114	44286	4	56430	44998	11	30	45312	10	30	45888	6	30
43236	4	30	43750	11	54	44292	7	114	44998	7	44772	45334	9	90	45892	6	42
43242	27	56430	43752	11	30	44304	10	30	44998	7	90	45336	7	60	45894	82	56430
43250	5	126	43758	35	2178	44308	5	90	44998	65	56430	45342	22	2178	45898	9	30
43254	26	56430	43764	8	54	44310	15	2178	44998	6	42	45356	8	2418	45906	81	56430
43260	22	2178	43766	10	42	44316	4	54	44998	28	38682	45372	6	42	45918	11	2178
43274	11	30	43772	3	2178	44326	5	90	44998	6	42	45384	14	30	45942	23	2178
43278	21	2178	43778	8	30	44340	27	44340	44998	45	56430	45402	8	45402	45954	10	2178
43284	10	30	43784	6	30	44346	9	56430	44998	9	30	45414	4	56430	45956	10	54
43290	20	2178	43818	24	2178	44348	5	90	44998	23	2178	45422	4	114	45960	13	30
43298	32	2178	43830	23	2178	44358	196	56430	44998	5	90	45436	6	126	45964	7	30
43314	16	1890	43852	6	30	44362	9	54	44998	12	2178	45440	6	42	45966	29	2178
43316	8	126	43860	7	90	44370	195	56430	44998	46	56430	45456	7	30	45972	8	42
43324	15	1890	43862	10	90	44372	6	90	44998	20	2178	45468	7	42	45976	7	30
43332	6	90	43878	13	2178	44376	7	30	44998	6	126	45472	6	42	45978	12	2178
43342	10	42	43890	22	2178	44382	83	56430	44998	4	54	45484	10	30	45982	5	90
43344	5	30	43908	6	60	44388	7	42	44998	4	2178	45484	5	126	45984	9	30
43350	55	56430	43916	8	30	44392	3	114	44998	3	90	45508	5	42	45994	9	90
43368	11	30	43918	11	30	44394	42	2178	44998	6	30	45514	9	42	46004	7	30
43374	29	2178	43920	12	30	44414	6	30	44998	14	56430	45516	7	54	46012	9	54
43386	28	2178	43924	6	90	44416	5	90	44998	12	2178	45522	41	56430	46014	16	2178
43410	6	18018	43926	34	56430	44418	3	56430	44998	4	90	45548	5	42	46016	4	90
43416	4	90	43930	9	90	44422	11	30	44998	11	2178	45562	9	30	46020	18	30
43426	11	30	43932	5	114	44436	4	90	44998	4	90	45572	6	126	46026	15	2178

46038	137	2178	46638	6	56430	47446	12	90	47716	204	48212	6	42	48336	4	90
46040	6	30	46650	134	56430	47460	8	30	47718	204	48220	6	90	48340	8	30
46042	27	2178	46656	3	56430	47476	65	56430	47736	4	42	48224	9	30	48344	3
46044	136	2178	46666	9	56430	47490	103	56430	47760	7	42	48234	132	2178	48360	6
46052	4	1878	46682	7	114	47500	3	114	47766	30	56430	48236	5	2418	48366	7
46062	79	56430	46696	5	54	47502	31	56430	47766	135	2178	48236	7	30	48366	6
46074	63	1291050	46704	4	90	47508	10	30	47774	10	42	48246	131	2178	48384	10
46076	4	60	46708	34	2178	47514	30	56430	47782	7	42	48252	9	30	48700	5
46078	11	30	46716	7	54	47518	5	90	47788	12	4158	48266	4	90	48708	3
46082	7	54	46726	7	90	47520	15	90	47802	132	2178	48272	6	30	48720	7
46110	63	56430	46740	20	30	47522	20	30	47802	20	2178	48274	6	90	48724	6
46112	6	90	46750	7	90	47526	18	2178	47814	17	2178	48282	28	2178	48728	5
46132	7	90	46752	9	30	47528	2	2958	47828	6	90	48284	6	90	48732	10
46134	7	114	46760	4	114	47538	35	2178	47844	9	42	48286	9	30	48738	3
46144	5	42	46776	9	42	47546	6	30	47848	7	126	48288	7	126	48740	6
46148	5	42	46790	10	90	47550	34	2178	47852	6	42	48290	8	90	48750	2
46152	8	42	46806	41	2178	47552	12	54	47868	7	42	48322	7	30	48752	6
46162	15	2178	46812	8	42	47562	14	2178	47874	136	2178	48332	6	30	48756	12
46184	5	114	46854	39	56430	47568	5	90	47876	8	126	48334	7	30	48762	23
46192	4	60	46856	6	126	47570	7	54	47880	7	1140	48336	5	30	48768	8
46200	8	60	46858	9	90	47572	4	54	47912	2	1878	48346	6	126	48770	14
46218	49	56430	46860	12	90	47574	13	2178	47918	11	42	48348	5	42	48780	5
46230	48	56430	46866	82	126	47586	12	2178	47928	31	30	48354	16	1890	48786	30
46240	6	42	46876	6	126	47590	7	54	47934	31	56430	48360	11	30	48790	10
46242	76	56430	46890	36	2178	47596	4	60	47946	65	56430	48362	5	114	48814	9
46248	7	60	46900	4	2178	47598	14	90	47948	4	54	48366	15	1890	48816	8
46254	27	2178	46904	4	30	47598	38	90	47958	38	2178	48370	9	90	48822	17
46266	14	90	47598	5	90	47598	4	114	47968	4	114	48376	5	54	48824	4
46284	5	42	47598	7	90	47598	37	30	47970	37	2178	48398	10	42	48832	7
46288	5	30	47598	33	56430	47598	5	54	47980	5	90	48404	6	54	48834	204
46300	5	90	47598	8	30	47598	32	2178	47982	32	2178	48408	10	30	48846	25
46322	8	90	47598	18	2178	47598	6	30	47984	4	54	48410	10	30	48854	8
46344	8	42	46940	7	114	47598	4	60	47988	5	90	48438	9	2178	48858	14
46356	7	90	46946	26	2178	47598	6	54	48004	6	1890	48440	8	30	48862	9
46360	7	90	46950	17	2178	47598	56	1291050	48030	40	2178	48450	35	2178	48866	10
46368	8	30	46954	10	42	47598	11	42	48036	6	60	48462	35	2178	48872	4
46386	27	56430	46962	34	2178	47598	5	30	48042	15	2178	48464	4	90	48882	53
46400	5	42	46968	7	42	47598	23	56430	48058	5	90	48466	11	126	48886	15
46414	8	90	46972	9	42	47598	8	126	48072	8	30	48472	3	126	48894	52
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92158	15	54	92556	93998	54	93630	1878	94582	15	1878	94582	15	54
92160	15	90	92566	93998	30	93632	1291050	94060	4	30	94590	37	56430
92164	201	56430	92590	93998	30	93646	56430	94062	83	2178	94608	2	2142
92166	17	2178	92596	93998	90	93650	42	94072	6	90	94632	8	30
92172	3	4158	92620	93998	3966	93654	56430	94098	185	56430	94634	8	54
92178	16	2178	92640	93998	42	93666	56430	94110	184	56430	94644	9	30
92184	11	42	92648	93998	2178	93672	30	94114	9	30	94654	9	30
92190	42	1291050	92650	93998	90	93678	56430	94120	5	1878	94660	6	2178
92202	181	56430	92660	93998	30	93682	90	94124	4	60	94670	7	42
92214	33	56430	92666	93998	90	93686	90	94134	135	56430	94680	8	1140
92226	51	56430	92672	93998	126	93692	30	94144	5	54	94686	34	56430
92232	10	30	92694	93998	2178	93696	90	94146	132	2178	94692	7	42
92238	4	74430	92716	93998	126	93698	30	94148	6	30	94698	8	56430
92240	8	42	92728	93998	114	93698	90	94160	4	2418	94702	8	54
92250	3	74430	92740	93998	42	93704	90	94182	21	2178	94708	34	56430
92256	13	30	92754	93998	126	93706	126	94184	2	3522	94710	153	1291050
92258	7	126	92760	93998	30	93708	114	94188	7	42	94722	53	1291050
92262	29	2178	92784	93998	1878	93712	2178	94190	11	90	94734	52	1291050
92272	7	30	92786	93998	90	93714	2178	94194	4	74430	94756	33	56430
92274	28	2178	92788	93998	2178	93716	2178	94198	11	30	94762	3	60
92280	9	114	92792	93998	30	93730	42	94200	7	54	94770	36	56430
92282	4	42	92796	93998	54	93744	90	94204	5	60	94772	9	30
92292	10	42	92806	93998	54	93746	90	94210	4	126	94774	9	54
92296	9	30	92812	93998	56430	93750	2178	94214	12	126	94782	86	56430
92304	7	126	92816	93998	90	93762	2178	94230	71	56430	94794	85	56430
92308	5	90	92822	93998	90	93770	1140	94242	62	56430	94796	7	2178
92316	11	126	92824	93998	2178	93780	54	94256	6	30	94806	14	2178
92328	9	60	92826	93998	56430	93802	30	94270	9	30	94816	5	30
92332	6	42	92838	93998	114	93818	126	94274	8	30	94818	37	2178
92334	38	56430	92840	93998	90	93820	114	94286	13	90	94830	36	2178
92340	20	56430	92850	93998	56430	93822	56430	94302	27	2178	94842	34	56430
92346	13	56430	92856	93998	126	93826	90	94312	7	42	94854	83	56430
92350	13	1291050	92866	93998	114	93846	56430	94314	34	2178	94856	6	30
92358	12	56430	92888	93998	42	93854	90	94316	8	2178	94866	82	56430
92362	6	114	92898	93998	38682	93858	56430	94320	8	30	94868	10	30

94972	14	30	95412	6	90	95868	6	60	96324	10	42	96692	7	114	97136	4	98
94988	19	54	95414	8	30	95888	12	3522	96328	7	30	96700	8	30	97146	70	56430
94990	1	39780	95416	35	56430	95890	13	54	96336	6	42	96716	5	114	97162	6	42
94996	11	30	95420	7	54	95892	8	42	96340	5	90	96720	9	42	97164	9	30
94998	7	42	95426	7	126	95896	6	54	96342	34	56430	96726	69	56430	97168	34	56430
94998	26	2178	95430	37	56430	95898	57	1291050	96350	8	30	96736	3	30	97176	9	30
94998	6	126	95432	6	30	95906	7	90	96352	5	54	96740	9	114	97192	7	54
94998	25	2178	95436	7	2958	95908	32	2178	96354	33	56430	96750	85	56430	97206	73	56430
94998	6	90	95450	10	126	95910	39	2178	96356	34	56430	96760	6	90	97218	27	56430
94998	16	30	95456	4	42	95932	8	1890	96358	32	2178	96776	6	54	97248	10	30
94998	35	1291050	95466	47	56430	95934	46	1291050	96364	5	90	96780	9	42	97254	42	56430
94998	8	30	95472	8	30	95944	7	54	96400	4	60	96792	7	54	97256	8	30
94998	8	30	95476	25	2178	95946	45	56430	96402	29	2178	96798	186	56430	97266	36	56430
95004	7	126	95510	9	42	95952	9	30	96408	7	30	96800	5	126	97278	61	56430
95018	14	30	95514	23	2178	95954	6	90	96414	28	2178	96804	3	126	97286	8	42
95028	10	54	95526	22	2178	95958	44	56430	96422	10	30	96806	8	42	97302	51	56430
95030	10	54	95540	6	30	95962	5	54	96426	27	2178	96812	4	90	97304	7	42
95032	7	30	95546	8	114	95968	4	114	96432	9	30	96814	11	30	97308	9	42
95048	8	30	95556	5	1878	95970	117	56430	96434	10	30	96834	59	56430	97312	7	54
95056	6	30	95558	8	42	95982	31	2178	96438	27	2178	96840	9	30	97314	50	56430
95060	6	126	95562	38	2178	95984	5	90	96446	10	30	96846	58	56430	97342	8	54
95072	5	54	95564	6	54	95990	9	114	96448	5	30	96858	57	56430	97348	31	56430
95078	10	90	95568	10	30	96000	13	30	96450	26	2178	96862	7	42	97360	6	1890
95084	4	2178	95576	4	60	96002	7	90	96452	7	54	96864	11	30	97368	8	54
95090	8	30	95578	6	2418	96008	8	54	96462	17	2178	96866	8	30	97374	197	56430
95094	10	2178	95586	62	56430	96010	9	30	96466	8	42	96874	9	30	97386	196	56430
95124	6	114	95588	202	56430	96012	6	114	96468	67	56430	96876	9	42	97398	195	56430
95136	7	90	95600	6	30	96024	7	30	96502	7	54	96882	172	56430	97402	9	30
95144	6	30	95602	7	30	96026	6	1890	96504	8	126	96890	12	42	97410	37	56430
95148	9	42	95610	80	56430	96036	9	54	96508	6	114	96900	8	42	97420	7	54
95150	10	90	95612	9	30	96040	10	30	96520	9	30	96902	6	90	97424	10	30
95160	10	60	95616	4	90	96062	11	42	96522	19	2178	96906	38	56430	97428	9	30
95164	5	90	95618	21	2178	96064	3	42	96524	18	2178	96916	23	56430	97434	26	56430
95168	2	114	95640	9	60	96068	10	54	96542	7	90	96918	23	2178	97440	9	30
95184	8	30	95642	10	90	96072	9	30	96546	24	2178	96924	7	42	97452	8	30
95190	180	56430	95646	73	56430	96080	7	54	96550	8	30	96926	12	126	97464	16	30
95196	7	1890	95648	5	42	96096	9	30	96558	23	2178	96928	6	42	97480	3	2142
95202	86	56430	95650	6	90	96106	7	30	96560	6	126	96930	28	2178	97482	128	56430
95210	13	90	95652	7	1140	96114	70	56430	96562	7	90	96936	9	126	97488	6	114
95224	7	54	95662	7	126	96118	7	1890	96566	8	30	96936	14	2178	97492	188	56430
95238	41	2178	95666	6	114	96136	7	114	96568	5	30	96936	89	56430	97494	31	2178
95244	8	90	95682	39	2178	96144	10	42	96570	45	1891050	96938	3	126	97506	30	2178
95254	8	54	95688	12	90	96148	6	42	96572	24	2178	96938	12	42	97508	6	42
95254	8	42	95700	16	30	96156	5	1878	96576	10	30	97002	68	56430	97510	7	30
95264	8	2418	95706	81	56430	96164	8	30	96580	6	90	97008	9	42	97518	131	2178
95276	9	126	95712	11	30	96166	11	90	96584	6	126	97016	6	90	97526	7	60
95284	12	54	95718	23	2178	96204	11	30	96586	4	126	97026	17	90	97528	7	30
95304	16	30	95732	9	30	96226	5	42	96512	8	42	97030	8	114	97530	130	2178
95310	204	56430	95742	9	2178	96246	19	2178	96532	6	30	97034	7	126	97534	15	54
95326	7	60	95748	7	90	96248	4	126	96538	5	42	97038	7	90	97538	9	54
95338	5	114	95750	6	126	96256	3	126	96540	5	42	97082	7	126	97546	11	90
95342	8	30	95758	8	30	96266	5	126	96548	12	30	97084	6	42	97552	9	114
95352	7	54	95776	9	30	96266	5	1291050	96550	12	42	97086	29	2178	97566	33	2178
95358	61	56430	95784	8	114	96270	64	1291050	96554	46	1291050	97088	5	42	97574	11	90
95372	8	42	95788	8	114	96282	40	2178	96566	45	56430	97090	11	30	97578	39	56430
95376	4	30	95798	7	42	96292	1	49308	96572	7	30	97098	68	56430	97590	80	56430
95392	5	42	95800	7	30	96294	185	56430	96578	44	56430	97102	13	54	97610	14	30
95394	76	56430	95808	4	2178	96304	4	42	96584	10	126	97112	67	56430	97612	11	30
95400	9	90	95810	8	30	96308	6	54	96588	10	90	97122	72	56430	97642	5	126
95406	36	56430	95814	79	56430	96318	8	56430	96590	115	56430	97134	71	56430	97648	3	126

97628	9	98124	6	98928	11	30	99212	9	99720	6	99720	126
97668	4	98126	8	98936	22	4878	99216	7	99724	6	99724	54
97672	7	98130	32	98964	23	2178	99218	23	99726	29	99726	2178
97686	15	98136	7	98952	5	90	99240	11	99738	97	99738	1291050
97700	6	98148	11	98962	8	42	99246	32	99744	9	99744	42
97718	10	98160	5	98974	9	30	99248	4	99750	64	99750	1291050
97722	17	98166	29	98978	9	126	99252	7	99752	4	99752	54
97738	5	98178	28	98980	5	30	99258	85	99756	10	99756	42
97748	8	98188	4	98982	41	56430	99262	16	99764	6	99764	30
97758	31	98190	27	98994	40	56430	99266	23	99782	12	99782	54
97766	16	98202	57	98904	3	90	99270	69	99788	28	99788	56430
97770	160	98204	5	98954	50	56430	99278	5	99792	5	99792	90
97794	25	98208	10	98958	9	90	99280	8	99802	13	99802	30
97804	5	98210	9	98960	9	30	99282	186	99838	11	99838	90
97806	104	98222	11	98962	12	30	99294	185	99840	6	99840	114
97812	10	98236	8	98966	35	56430	99302	10	99844	6	99844	54
97818	103	98240	6	98974	5	54	99326	13	99846	135	99846	2178
97822	13	98256	9	98980	6	114	99334	11	99864	6	99864	42
97824	8	98260	9	98982	8	42	99362	22	99878	12	99878	30
97830	81	98262	23	98984	7	42	99392	5	99888	6	99888	114
97848	4	98274	61	98988	11	30	99402	38	99894	46	99894	1291050
97850	11	98276	7	98982	24	2178	99414	37	99906	45	99906	1291050
97854	78	98288	6	98984	61	56430	99424	5	99918	44	99918	1291050
97866	131	98294	10	98986	7	30	99426	22	99936	8	99936	30
97876	19	98306	9	98982	7	30	99428	6	99942	12	99942	2178
97890	32	98308	8	98986	69	2178	99430	11	99944	9	99944	30
97892	8	98310	191	98986	8	30	99438	69	99954	11	99954	2178
97896	11	98314	9	98988	12	30	99444	7	99964	5	99964	90
97898	9	98316	6	98980	11	90	99450	68	99972	7	99972	30
97908	6	98324	8	98986	8	1140	99454	11	99984	7	99984	30
97924	18	98334	15	98986	36	56430	99472	7	99988	9	99988	42
97928	10	98352	8	98982	7	60	99474	22				
97934	8	98354	8	98986	35	56430	99486	49				
97938	1	98358	60	98986	11	54	99508	79				
97942	10	98370	26	98988	4	30	99510	214				
97950	4	98382	60	98976	7	1140	99522	202				
97954	11	98388	6	98982	5	30	99526	9				
97966	8	98404	6	98986	6	90	99528	10				
97968	7	98412	11	99002	13	42	99534	61				
97972	9	98416	4	99006	59	1291050	99544	7				
97982	10	98428	7	99008	6	42	99552	8				
97986	20	98430	40	99042	12	54	99558	69				
97988	8	98444	6	99066	28	2178	99572	7				
97996	9	98456	6	99072	6	30	99576	7				
97998	81	98466	207	99076	7	54	99596	7				
98002	9	98472	10	99080	9	42	99604	8				
98008	7	98478	206	99092	7	90	99618	33				
98010	80	98480	6	99102	19	2178	99620	7				
98016	10	98512	5	99106	9	90	99626	11				
98028	4	98522	4	99120	10	42	99630	32				
98032	7	98544	6	99124	9	2178	99638	12				
98040	13	98550	25	99128	3	126	99646	9				
98044	5	98554	5	99142	6	30	99660	23				
98088	7	98576	7	99146	11	42	99664	6				
98092	6	98578	15	99150	76	56430	99686	9				
98094	1	98580	24	99162	89	1291050	99690	186				
98102	7	98600	5	99168	14	30	99694	8				
98106	7	98608	9	99176	8	30	99696	7				
98116	7	98620	8	99188	5	90	99714	30				
98118	8	98622	42	99190	13	90	99716	5				

APPENDIX. On the number of different prime factors of unitary t-cycles.

Here we present three theorems about the number of different prime factors of unitary t-cycles. The theorems essentially come from, and are included with the kind permission of, Walter Borho.

If n is a natural number, then $\omega(n)$ means the number of different prime factors of n .

Theorem 1 Let (n, m) be a unitary 2-cycle, $n < m$. Then

$$\text{a) } \omega(m) \geq 2. \quad \text{b) } \omega(n) \geq 3. \quad \text{c) } \text{If } \omega(m) = 2, \text{ then } \omega(n) \geq 6.$$

Proof a) is clear. A prime power cannot belong to a unitary cycle, because $s^*(\text{prime power}) = 1$.

b) We have $s^*(n)/n = m/n > 1$, i.e. n is unitary abundant. But a unitary abundant number has at least three different prime factors because $s^*(n) / n \leq s^*(2.3) / (2.3) = 1$, in case of $\omega(n) = 2$.

c) For abbreviation we write $s^*(k) / k = \alpha(k)$, for any natural number k . Assume, contrariwise, $\omega(m) = 2$ and $\omega(n) \leq 5$. Then

$$\alpha(n) \leq \alpha(2.3.5.7.11) = 1152/385 - 1 = 767/385.$$

Because $\alpha(n) \alpha(m) = 1$, it follows that

$$(*) \quad \alpha(m) = \alpha(n)^{-1} \geq 385/767 = \frac{1}{2}(1+3/767) > \frac{1}{2}.$$

Let $m = PQ$, $P < Q$, be the decomposition of m into two prime powers. If $P \geq 4$, then $\alpha(m) \leq \alpha(4.5) = \frac{5}{4} \cdot \frac{6}{5} - 1 = \frac{1}{2}$, contradictory to (*).

Hence $P = 2$ or $P = 3$.

If $P = 3$ and $Q \geq 11$, then $\alpha(m) \leq \alpha(3.11) = 5/11 < \frac{1}{2}$. Hence $Q < 11$ and $m = PQ \leq 3.7 = 21$. This is impossible ([3]).

If $P = 2$ then from (*) it follows that $Q \leq 767 < 1000$. Thus $m = PQ < 2000$.

But again, according to [3], no 2-cycles exist with $\omega(m) = 2$ and $m < 2000$. Q.e.d.

Theorem 2 There is only one unitary 2-cycle (n, m) with $\omega(n) + \omega(m) < 7$, viz. $(n, m) = (114, 126) = (2.3.19, 2.3^2.7)$.

Proof According to Theorem 1, we only need to investigate the case $\omega(n) = \omega(m) = 3$. Assume $n < m$, then n is unitary abundant.

Lemma If n is unitary abundant and $\omega(n) = 3$, then $n = 70 = 2.5.7$ or $n = 2.3.R$, $(6, R) = 1$.

Indeed, let $n = PQR$, $P < Q < R$, be the decomposition of n into three prime factors. If $P \geq 3$, then $\alpha(n) \leq \alpha(3.4.5) = 1$. Hence $P = 2$. If $Q \neq 3$, then $Q \geq 5$ and $\alpha(n) \leq \alpha(2.5.9) = 1$, unless $n = 2.5.7 = 70$. This proves the lemma.

Because $n = 70$ is not a member of a 2-cycle, we can assume $n = 2.3.R$, with R a power of a prime ≥ 5 . We have $\sigma^*(n) = 3.4(R+1)$, hence $6 \mid m = \sigma^*(n) - n$. Because $4 \mid \sigma^*(n)$, but $4 \nmid n$, we have $2 \parallel m$. Hence m has the form $m = 2.3^\mu S$, where S is a prime power such that $(6, S) = 1$, and $\mu > 1$.

(n, m) form a 2-cycle, hence

$$m+n = 6(R+3^{\mu-1}S) = \sigma^*(n) = 12(R+1) = \sigma^*(m) = 3(3^\mu+1)(S+1).$$

Elimination of R gives for S the equation

$$S = (3^\mu + 5) / (3^{\mu-1} - 1),$$

a monotonically decreasing function of μ . For $\mu = 2$, $S = 7$, hence $R = 19$, as indicated in the Theorem. For $\mu \geq 3$, we have $4 \geq S > 3$, which is impossible. Q.e.d.

Without proof, we finally quote

Theorem 3 Let X be an arbitrary positive number. The number of unitary t -cycles $(n, m, \dots)$ (t arbitrary, but fixed) with $\omega(n) \leq X$, $\omega(m) \leq X$, ... is finite.

Remark. Theorem 2 can be extended to:

There is only one unitary 2-cycle (n, m) with $\omega(n) + \omega(m) < 8$. The proof is somewhat longer than the proof of Theorem 2, but the same ideas are used.

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